

Technicolor & Beyond

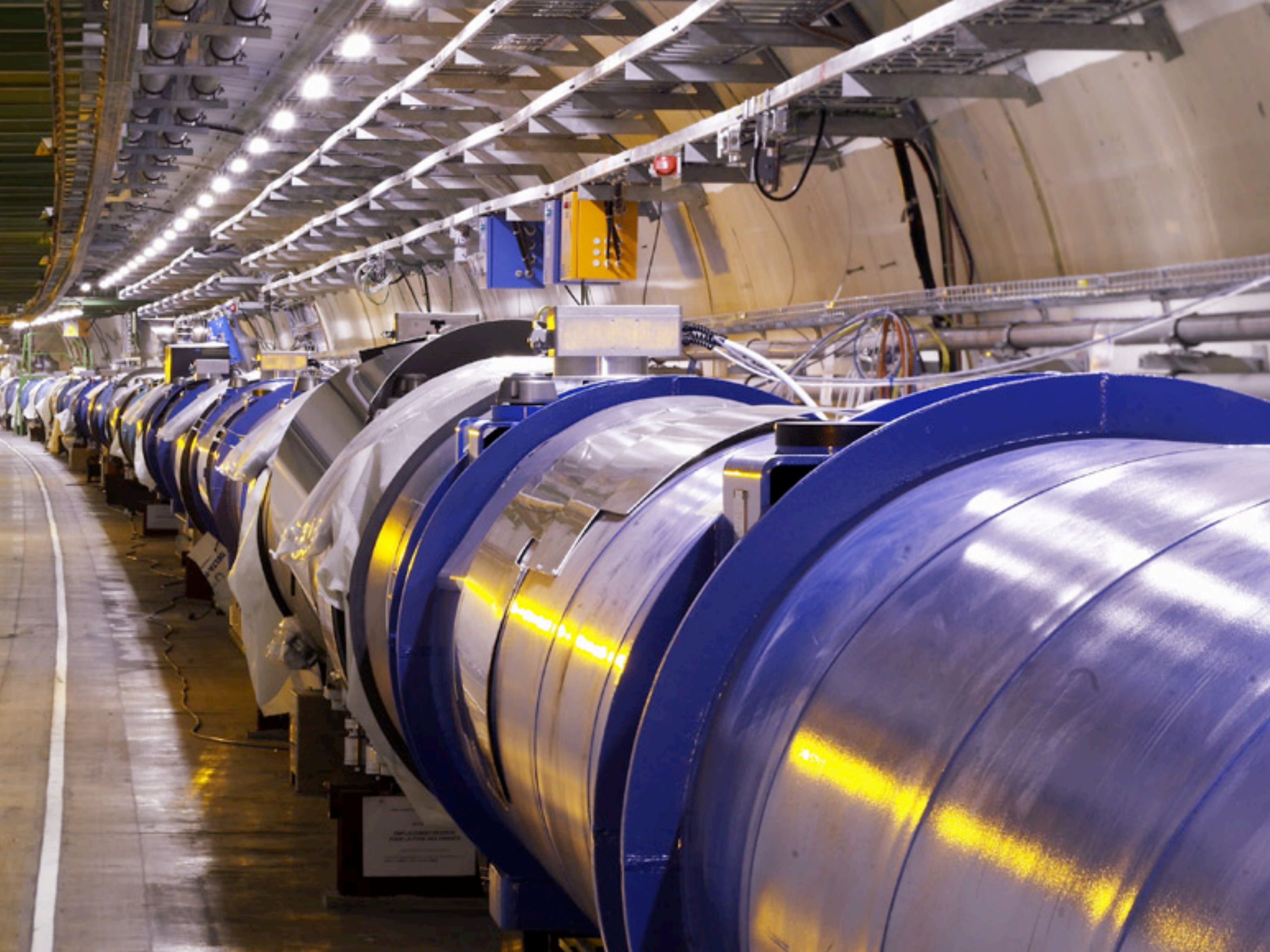
Francesco Sannino

CP³ - Origins



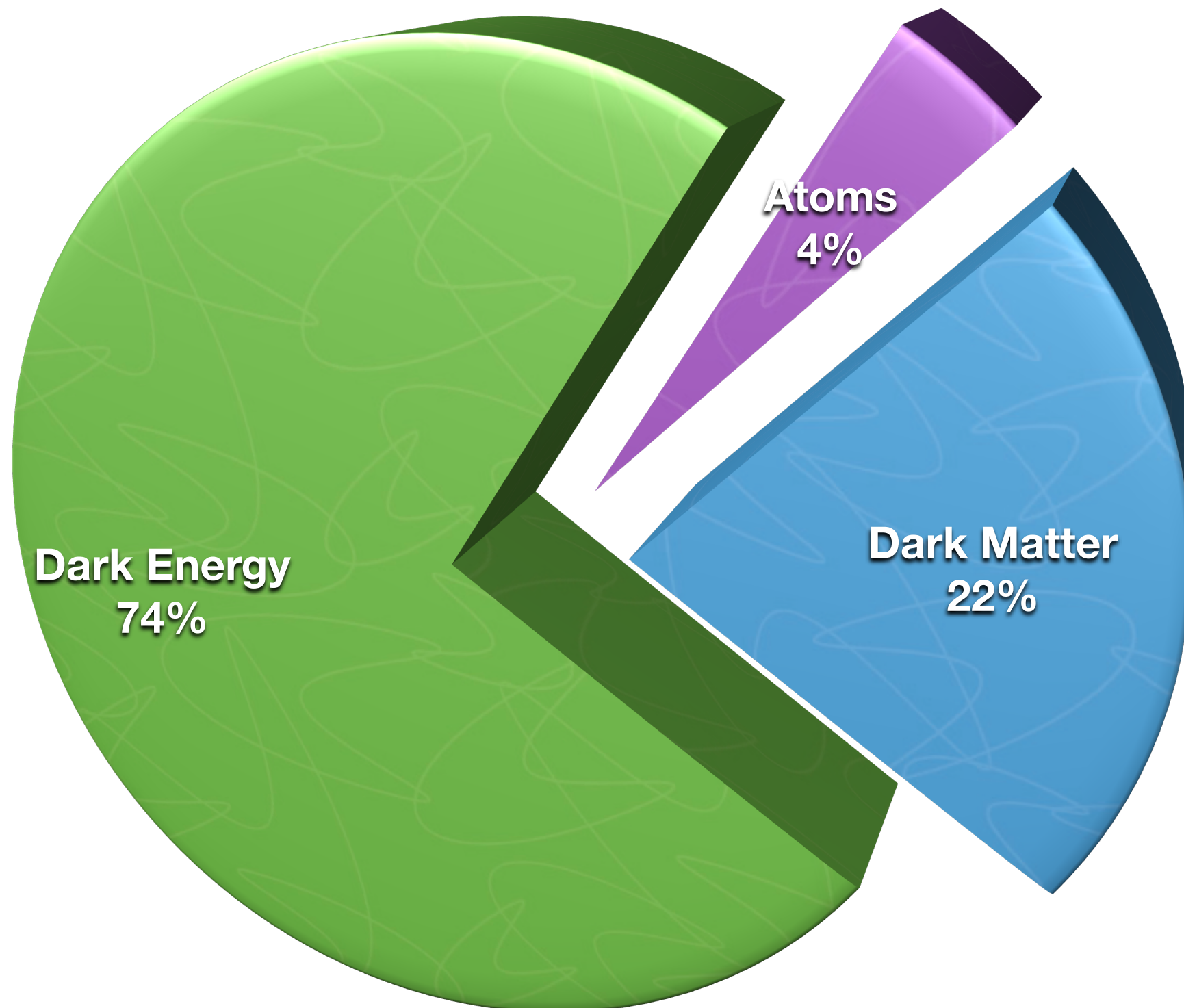
Particle Physics & Origin of Mass

August 2010 @ SUSY10 - Bonn





Cosmology



Many Models

(?)MSSM

XLMS D

Technicolor

Branes

.....

Unparticle

AdS/?

Standard Model

Energy

Λ

SM

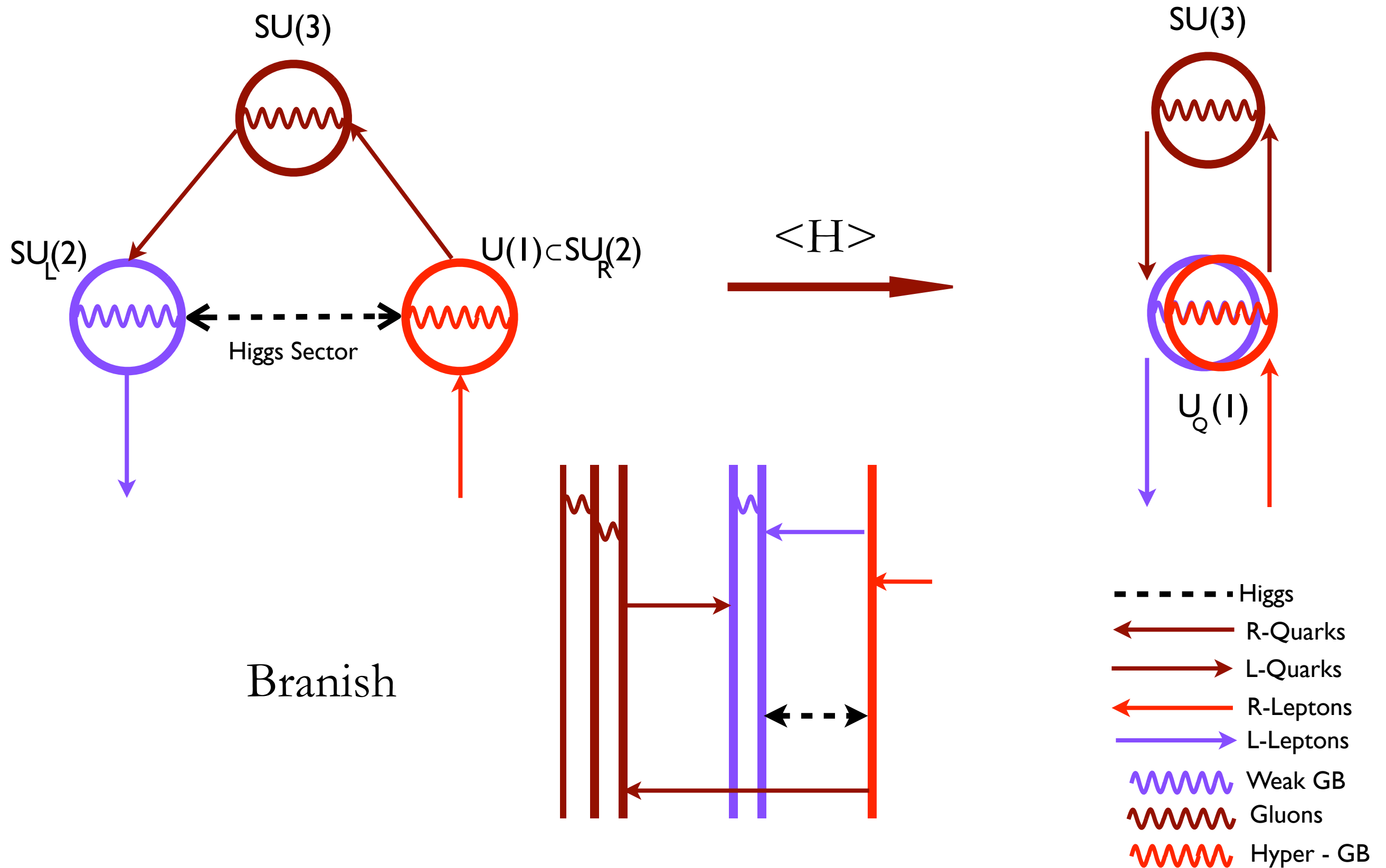
The standard model

Elementary particles						
Quarks	u up	c charm	t top			
	d down	s strange	b bottom			
Leptons	ν_e electron neutrino	ν_μ muon neutrino	ν_τ tau neutrino			
	e electron	μ muon	τ tau			
				Force carriers		
				Z boson		
				W^+ boson		
				W^- boson		
				g gluon		
				Higgs* boson		

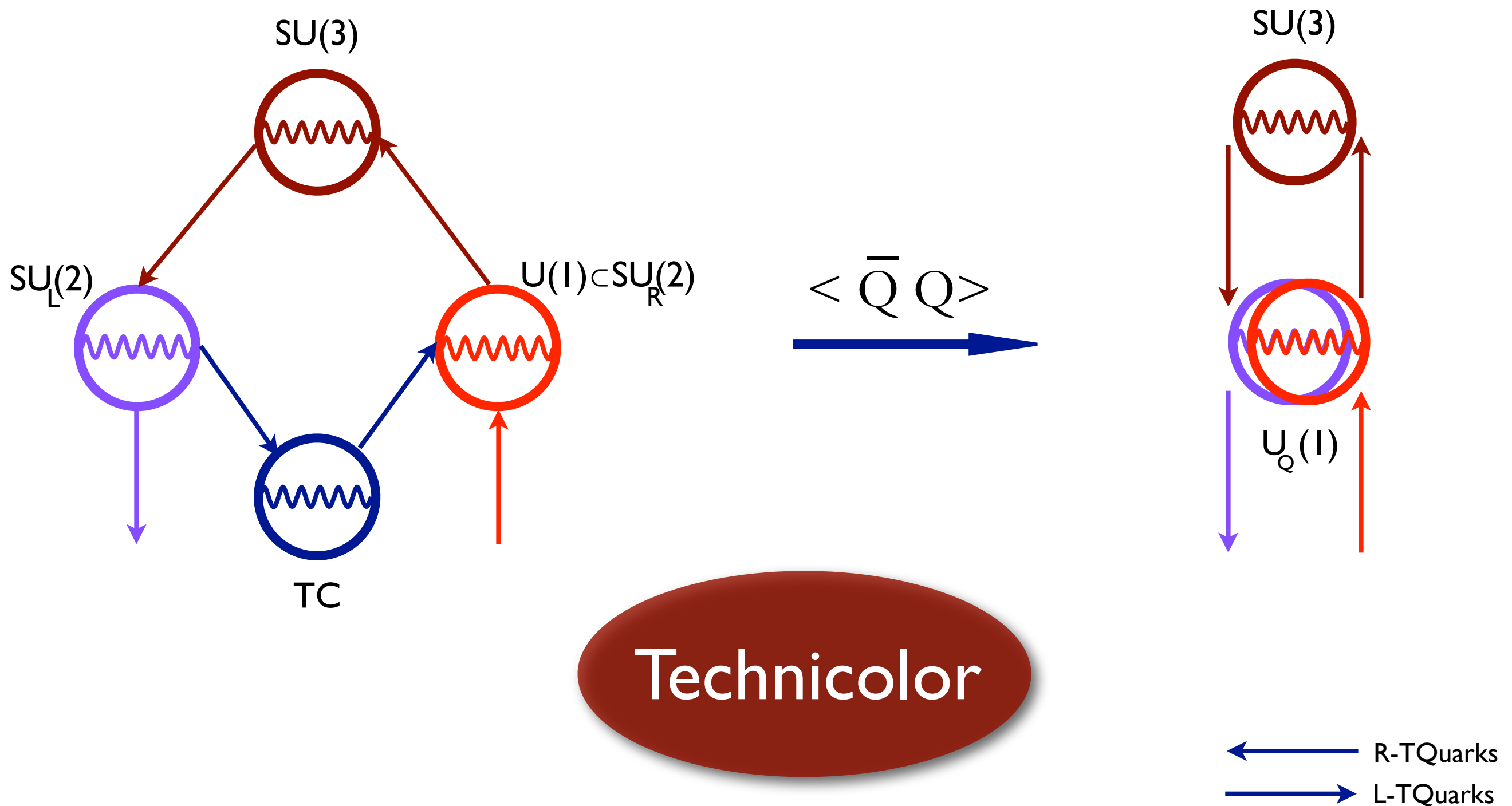
Source: AAAS

*Yet to be confirmed

SM - cartoon



Technicolor - cartoon



QCD-like TC

New Strong Interactions at ~ 250 GeV
[Weinberg, Susskind]

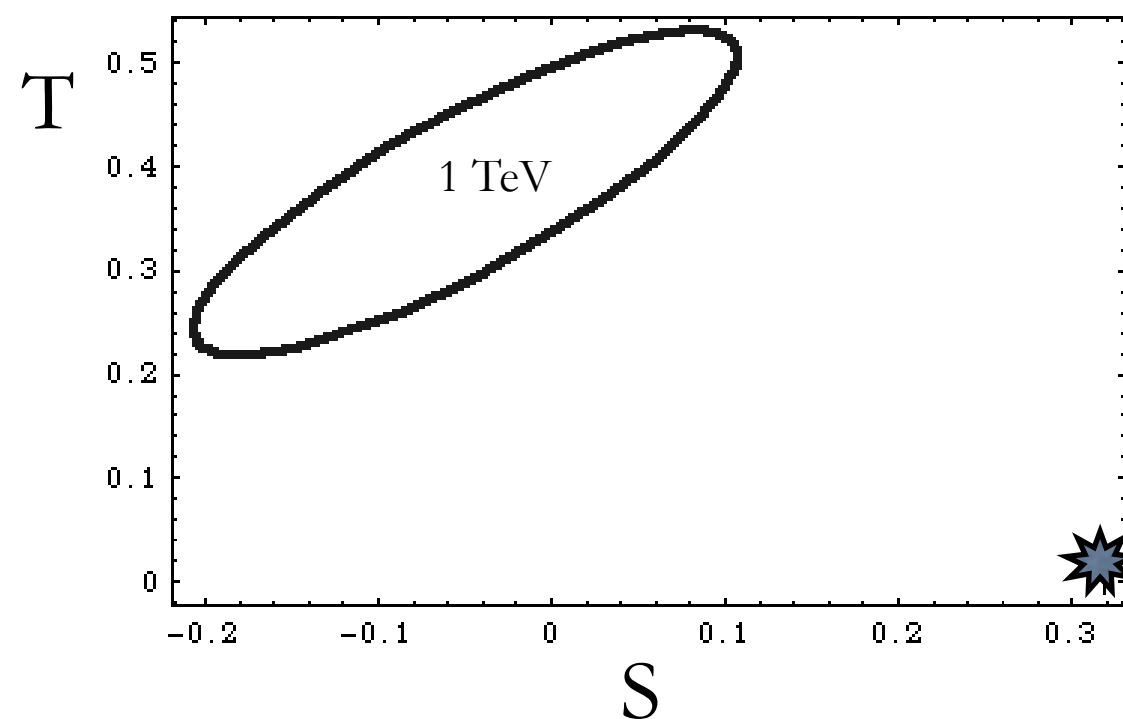
Natural to use QCD-like dynamics.

$$SU(N)_{TC} \times SU(3)_C \times SU_L(2) \times U_Y(1)$$

$$\langle Q^f \tilde{Q}_{f'} \rangle = \Lambda_{TC}^3 \qquad \Lambda_{TC} \simeq 1 \text{ TeV}$$

Need novel dynamics

Large & Positive S from QCD-like Technicolor



SU(3) + 1 Fund. Doublet
Weinberg, Susskind

Kennedy-Lynn,
Altarelli-Barbieri,
Bertolini- Sirlin,
Marciano-Rosner
Peskin and Takeuchi

$$S = -16\pi \frac{\Pi_{3Y}(m_Z^2) - \Pi_{3Y}(0)}{m_Z^2},$$

$$T = 4\pi \frac{\Pi_{11}(0) - \Pi_{33}(0)}{s_W^2 c_W^2 m_Z^2},$$

SM Fermion Masses

Extending Technicolor

$$\bar{L} \cdot H e_R \quad \rightarrow \quad \bar{L} \frac{\bar{Q} Q}{\Lambda_{ETC}^2} e_R$$

Different Approaches

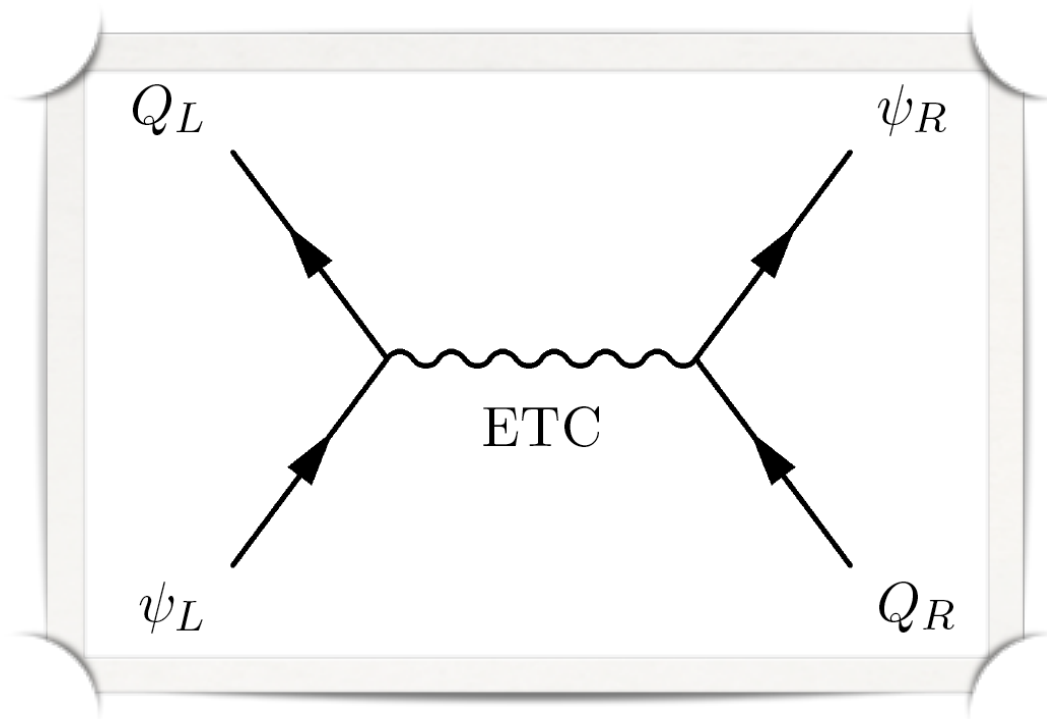
Scalar-less New Gauge Interactions (Extended TC)

Marry SUSY and Technicolor

Add New Scalars in the Flavor Sector

.....

Extended Technicolor



Eichten & Lane 80

Recent investigations

Ryttov & Shrock 10

Modifies TC dynamics

$$\alpha_{ab} \frac{\bar{Q} T^a Q \bar{Q} T^b Q}{\Lambda_{ETC}^2} + \beta_{ab} \frac{\bar{Q}_L T^a Q_R \bar{\psi}_R T^b \psi_L}{\Lambda_{ETC}^2} + \gamma_{ab} \frac{\bar{\psi}_L T^a \psi_R \bar{\psi}_R T^b \psi_L}{\Lambda_{ETC}^2} + \dots$$

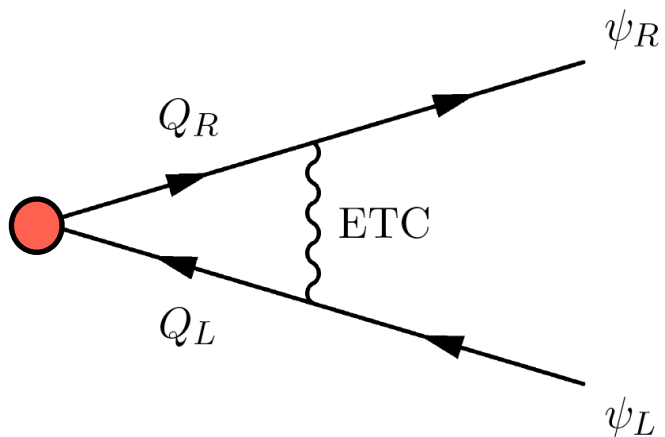
PNG
Masses

SM-Fermion
Masses

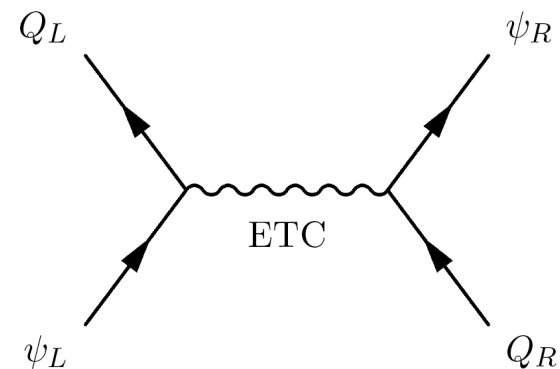
FCNC
Operators

Energy

Λ_{ETC}



$$m_f \approx \frac{g_{ETC}^2}{\Lambda_{ETC}^2} \langle \bar{Q}Q \rangle_{ETC}$$



Λ_{TC}

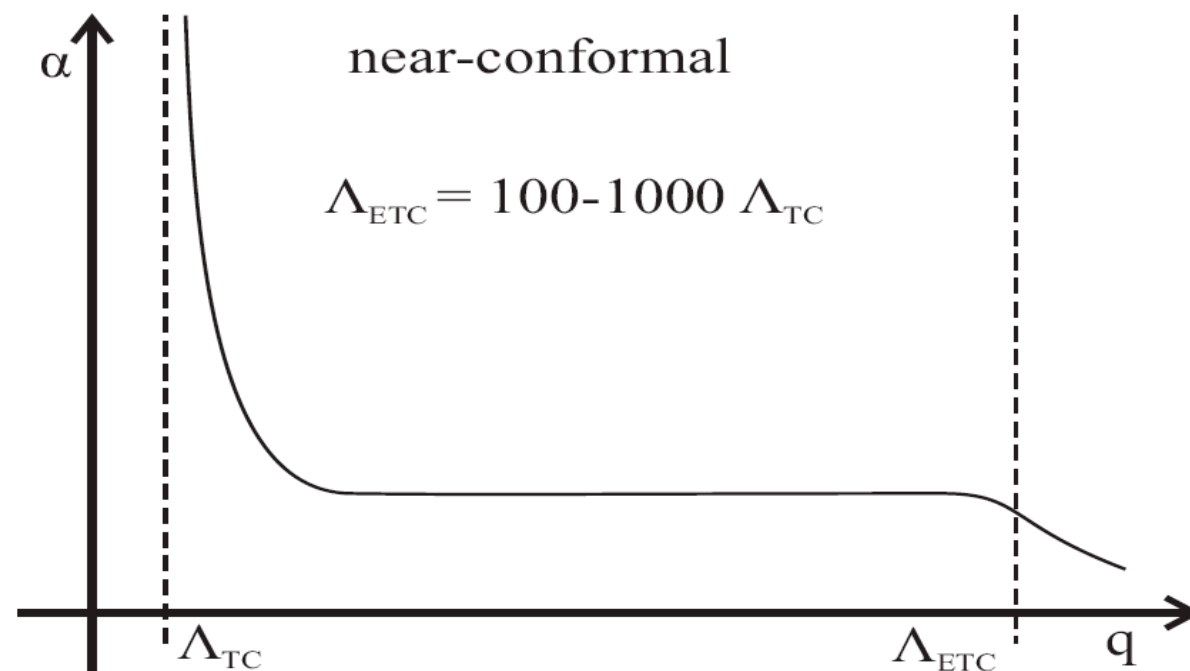
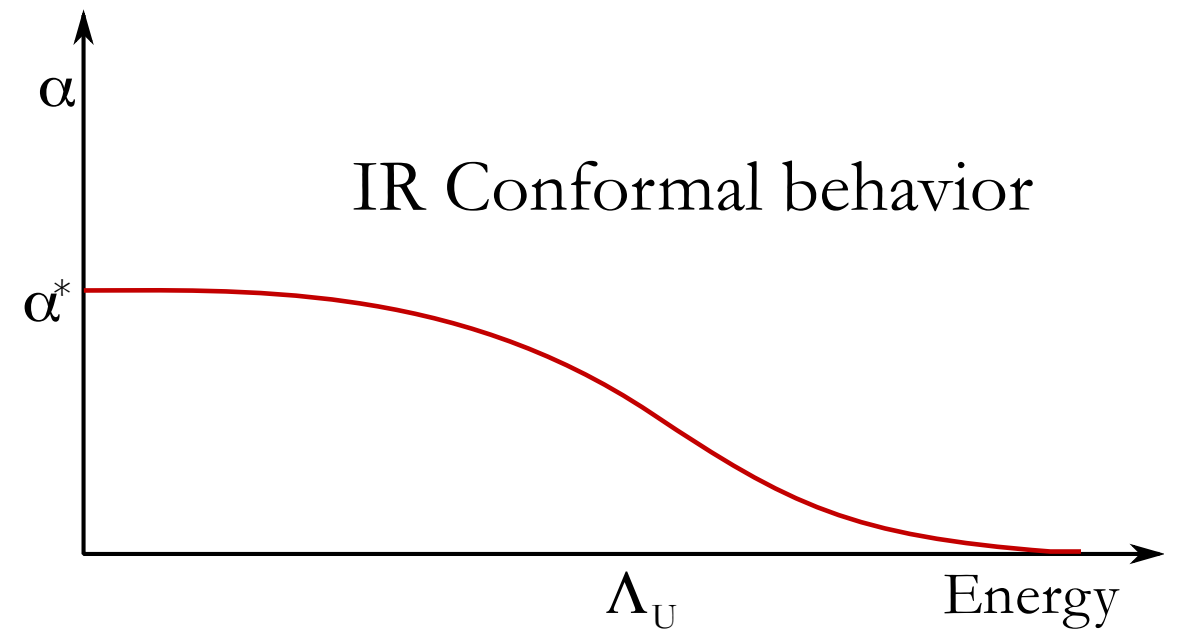
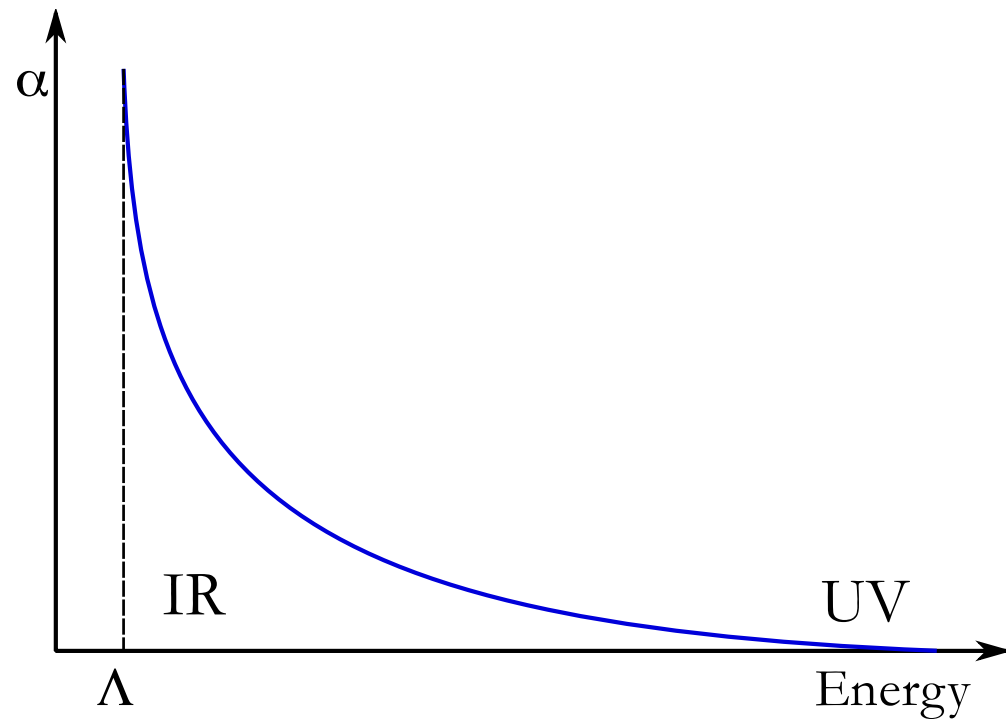
Electroweak breaks

$$\langle \bar{Q}Q \rangle_{ETC} \approx \langle \bar{Q}Q \rangle_{TC} \sim \Lambda_{TC}^3$$

$$m_f \approx \frac{g_{ETC}^2}{\Lambda_{ETC}^2} \langle \bar{Q}Q \rangle_{ETC} \ll m_{\text{Top}}$$

Beyond QCD

Near Conformal



Why walking helps?

$$\langle \bar{Q} Q_{ETC} \rangle = \exp \left(\int_{\Lambda_{TC}}^{\Lambda_{ETC}} d \ln(\mu) \gamma_m(\alpha(\mu)) \right) \langle \bar{Q} Q_{TC} \rangle$$

QCD-Like

$$\exp \left(\int_{\Lambda_{TC}}^{\Lambda_{ETC}} d \ln(\mu) \gamma_m(\alpha(\mu)) \right) \sim (\ln(\Lambda_{ETC}/\Lambda_{TC}))^{\gamma_m}$$

Near the conformal window

$$\exp \left(\int_{\Lambda_{TC}}^{\Lambda_{ETC}} d \ln(\mu) \gamma_m(\alpha(\mu)) \right) \sim (\Lambda_{ETC}/\Lambda_{TC})^{\gamma_m(\alpha^*)}$$

$$m_f \approx \frac{g_{ETC}^2}{\Lambda_{ETC}^2} \langle \bar{Q}Q \rangle_{ETC} = \frac{g_{ETC}^2}{\Lambda_{ETC}^2} \left(\frac{\Lambda_{ETC}}{\Lambda_{TC}} \right)^{\gamma_m(\alpha^*)} \langle \bar{Q}Q \rangle_{TC}$$

If large anomalous dimension, around $\gamma_m(\alpha^*) \sim 1.7$



Fermion Mass Enhancement & FCNC decoupling

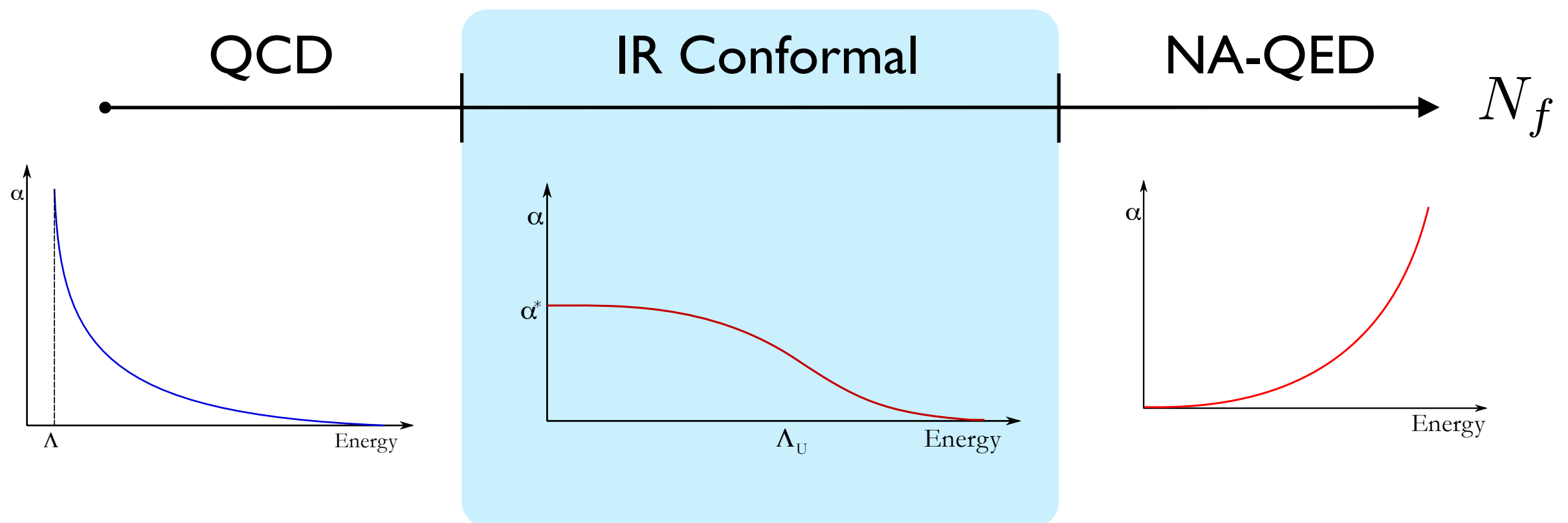
Gauge Theory Knobs



Gauge Group, i.e. SU, SO, SP

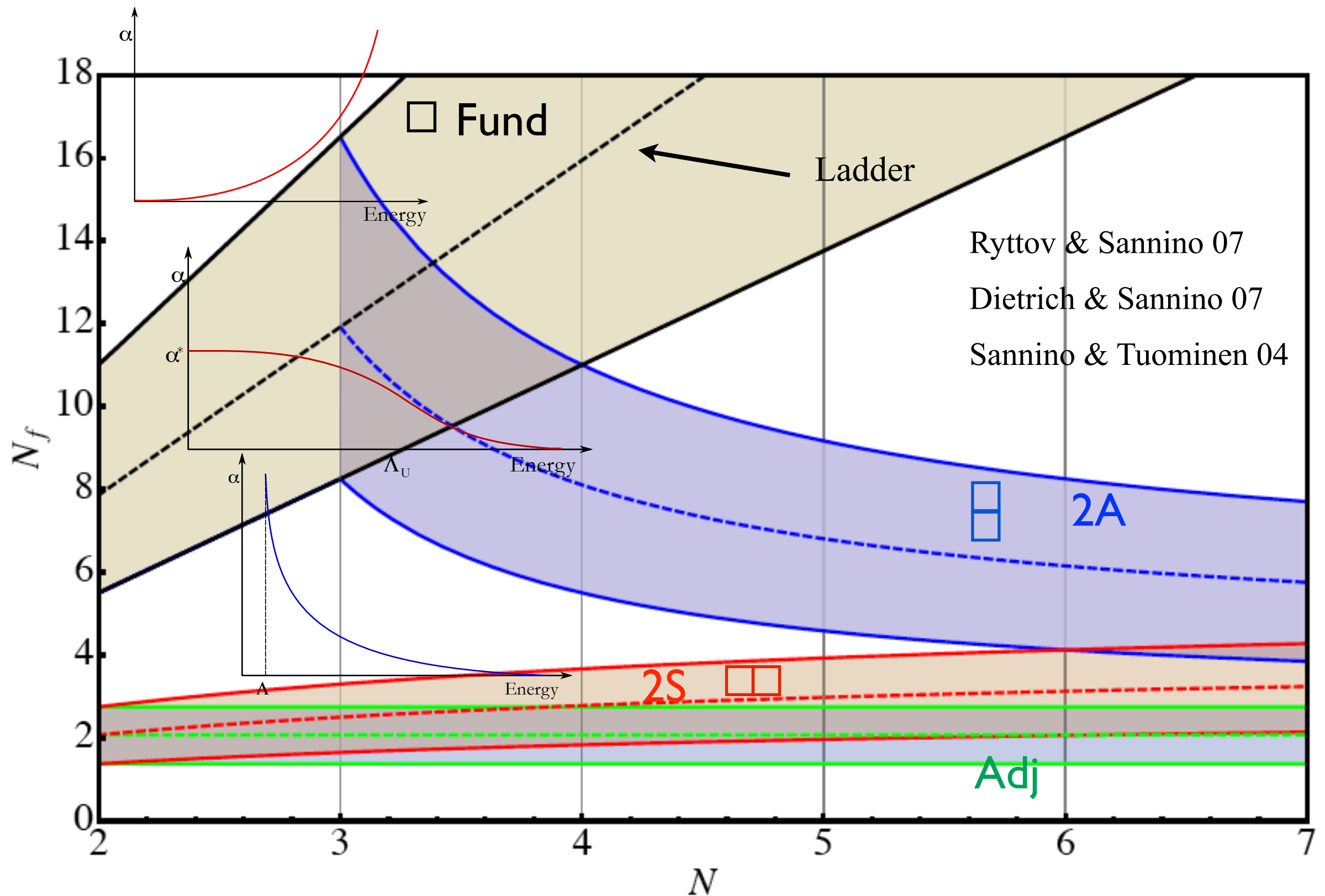
Matter Representation

of Flavors per Representation



Universal Picture

SU(N) Phase Diagram



Minimal Working TC

• Minimal WT

$$SU(2)_{TC} \quad \square \square \quad \begin{matrix} \mathbf{U} & \mathbf{N} \\ \mathbf{D} & \mathbf{E} \end{matrix}$$

Sannino & Tuominen 04

Dietrich, Sannino, Tuominen 05

Frandsen, Masina, Sannino 09

• Next to MWT

$$SU(3)_{TC} \quad \square \square \quad \begin{matrix} \mathbf{U} \\ \mathbf{D} \end{matrix}$$

Sannino, Tuominen 04

Dietrich, Sannino, Tuominen 05

• Orthogonal

$$SO(4)_{TC} \quad \square \quad \begin{matrix} \mathbf{U} \\ \mathbf{D} \end{matrix}$$

Frandsen, Sannino 09

• Ultra MT

$$SU(2)_{TC} \quad \square \quad \begin{matrix} \mathbf{U} \\ \mathbf{D} \end{matrix}$$

Ryttov & Sannino 08

• Other models/ETC

Farhi and Susskind 79;

Eichten and Lane 89;

Appelquist and Terning 94;

Appelquist, Christensen, Pia and Shrock 04

Evans and Sannino 08

Ryttov and Shrock 09,10

• Effective Theories

Appelquist, Da Silva, Sannino 99;

Da Silva, Duan, Sannino. 99

Foadi, Frandsen, Ryttov, Sannino. 07

Lane and Martin 09

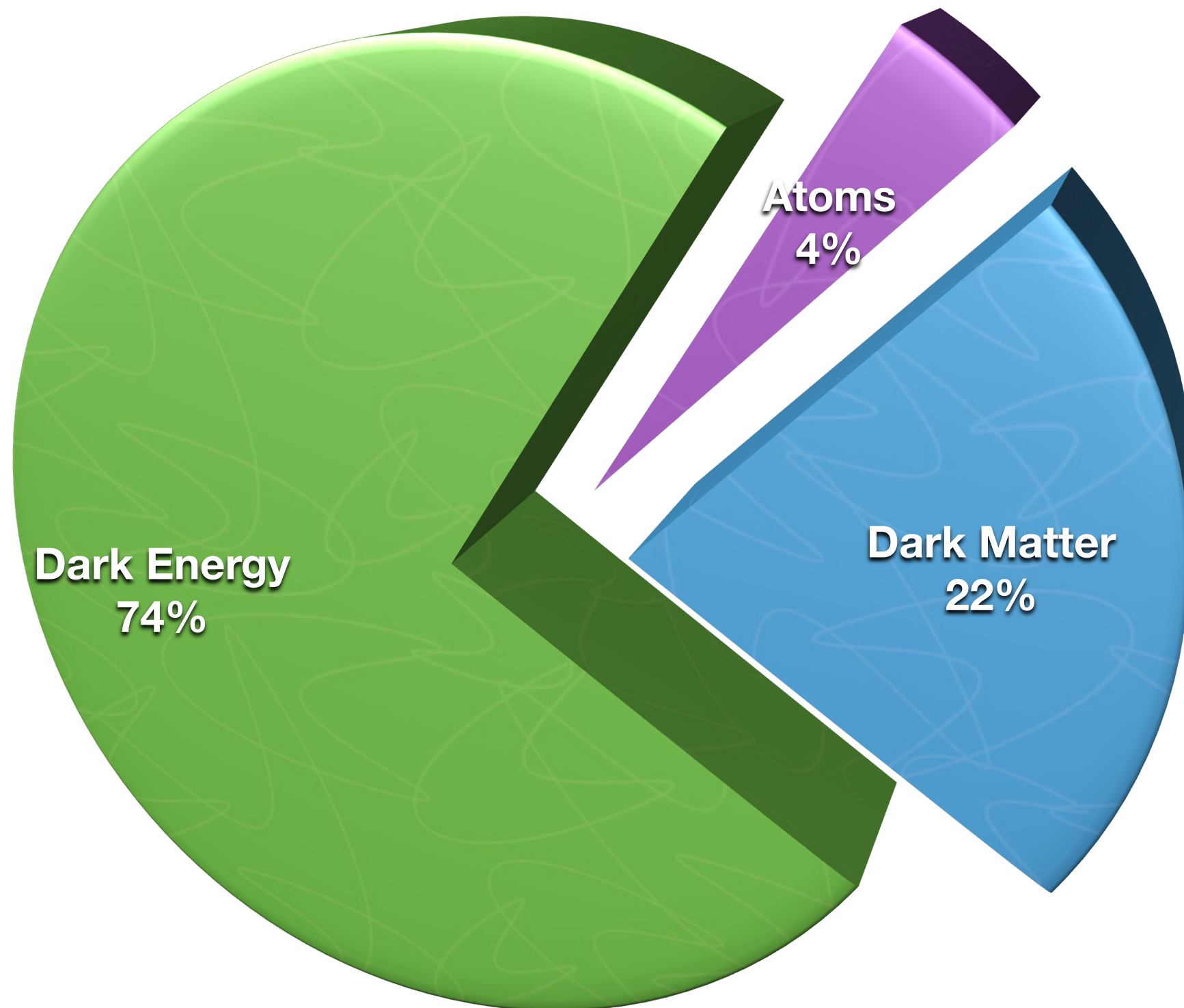
New life in Technicolor



Not the Coldplay album



Dark Matter



$$\frac{\Omega_{DM}}{\Omega_B} \sim 5$$

Asymmetric DM

A particle similar to the nucleon

At most EW-type cross sections

Technibaryon is similar to the nucleon

EW scale and interactions built in

Nussinov, 86

Barr - Chivukula - Farhi 90

Sarkar 96

Gudnason - Kouvaris - F.S. 06

Ultra Minimal Technicolor is the first physical realization

Ryttov - F.S. 08

PAMELA/ATIC Decaying Dark Matter + Unification,
Nardi, F.S., Strumia, 08.

(Un)TC Interact. Massive Particle (u)TIMP

TIMPs	Masses	Annih.	Asymm	Symm	Models
TC-Baryon	(1 - 3) TeV	-	×	-	Complex-Rep Traditional TC
TC-PGB	50 GeV - 1 TeV	×	×	×	(Pseudo)-Real (UMT, MWT, OT)
Unbaryon	(1 - 10) GeV	×	×	×	Techni-unparticle

TC-Baryon

Nussinov, 86
Barr - Chivukula - Farhi 90
Sarkar 96
Gudnason - Kouvaris - F.S. 06
Foadi, Frandsen, Sannino 09
Nardi, Sannino., Strumia, 08.
Sannino, 10

TC-PGB

Gudnason - Kouvaris - Sannino. 06
Ryttov - Sannino 08
Frandsen & Sannino. 09

Unbaryon

D.B. Kaplan 92
Sannino, Zwicky 09
Frandsen, Sarkar, 10

Related

Kouvaris 06,07,10
Kainulainen, Virkajarvi, Tuominen 06,09,10

Mixed TIMP DM

Belyaev, Frandsen, Sannino, Sarkar 10

DM and GUTs

$$\frac{\Omega_{TB}}{\Omega_B} = \frac{TB}{B} \frac{m_{TB}}{m_p} \sim \mathcal{O}(1)$$

Light

Heavy

$$m_{TB} \sim 5 \text{ GeV}$$

$$m_{TB} \approx (1 - 3) \text{ TeV}$$

$$\frac{TB}{B} \approx \mathcal{O}(1)$$

$$\frac{TB}{B} \approx \exp \left[-\frac{m_{TB}}{T^*} \right]$$

GUTs

$$\tau \sim \frac{M_{GUT}^4}{m_{TB}^5} \sim 3 \times 10^{37} \text{ sec}$$

$$\tau \sim \frac{M_{GUT}^4}{m_{TB}^5} \sim 10^{26} \text{ sec}$$

Beyond Technicolor

(?)MSSM

XLMS D

Technicolor

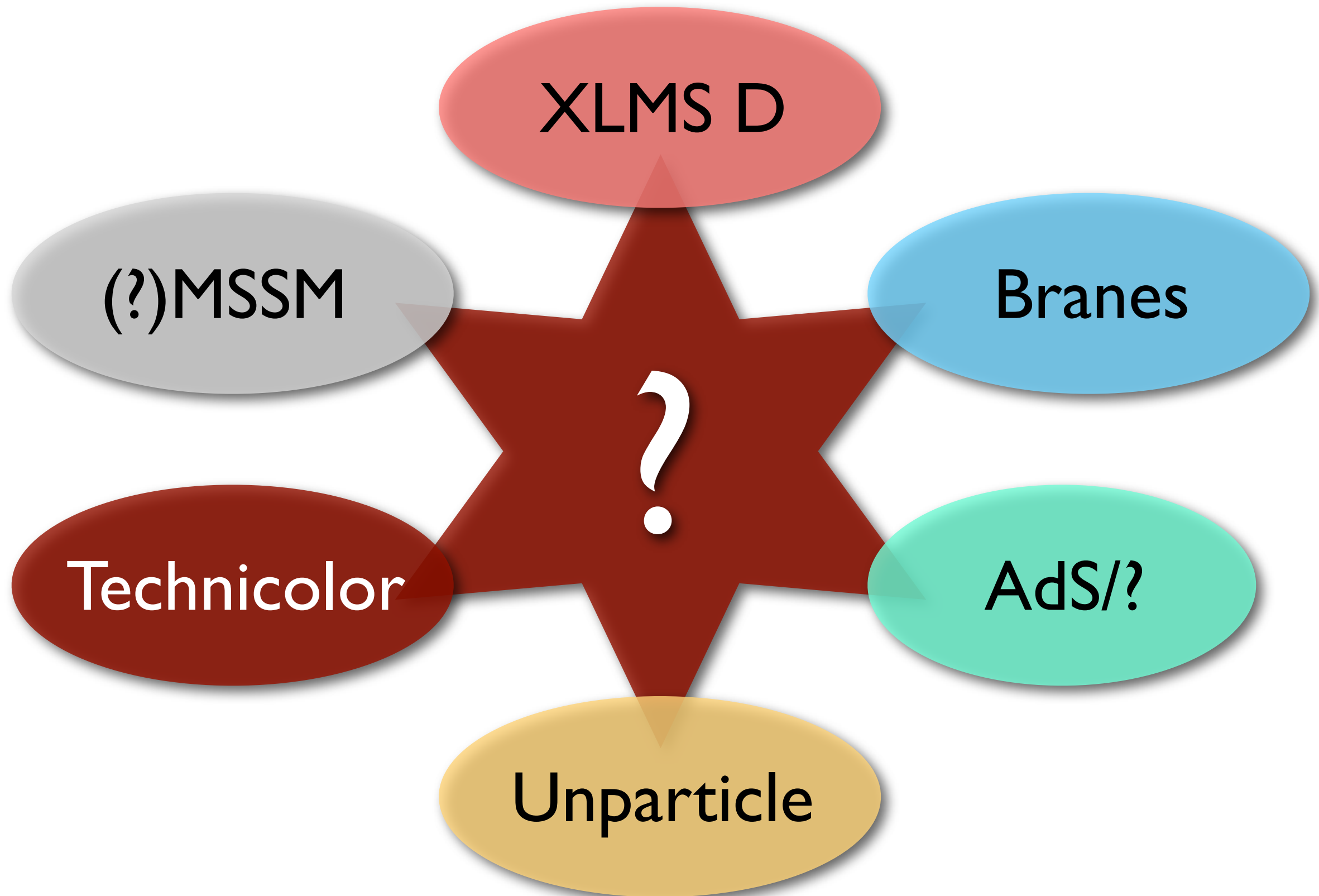
Branes

.....

Unparticle

AdS/?

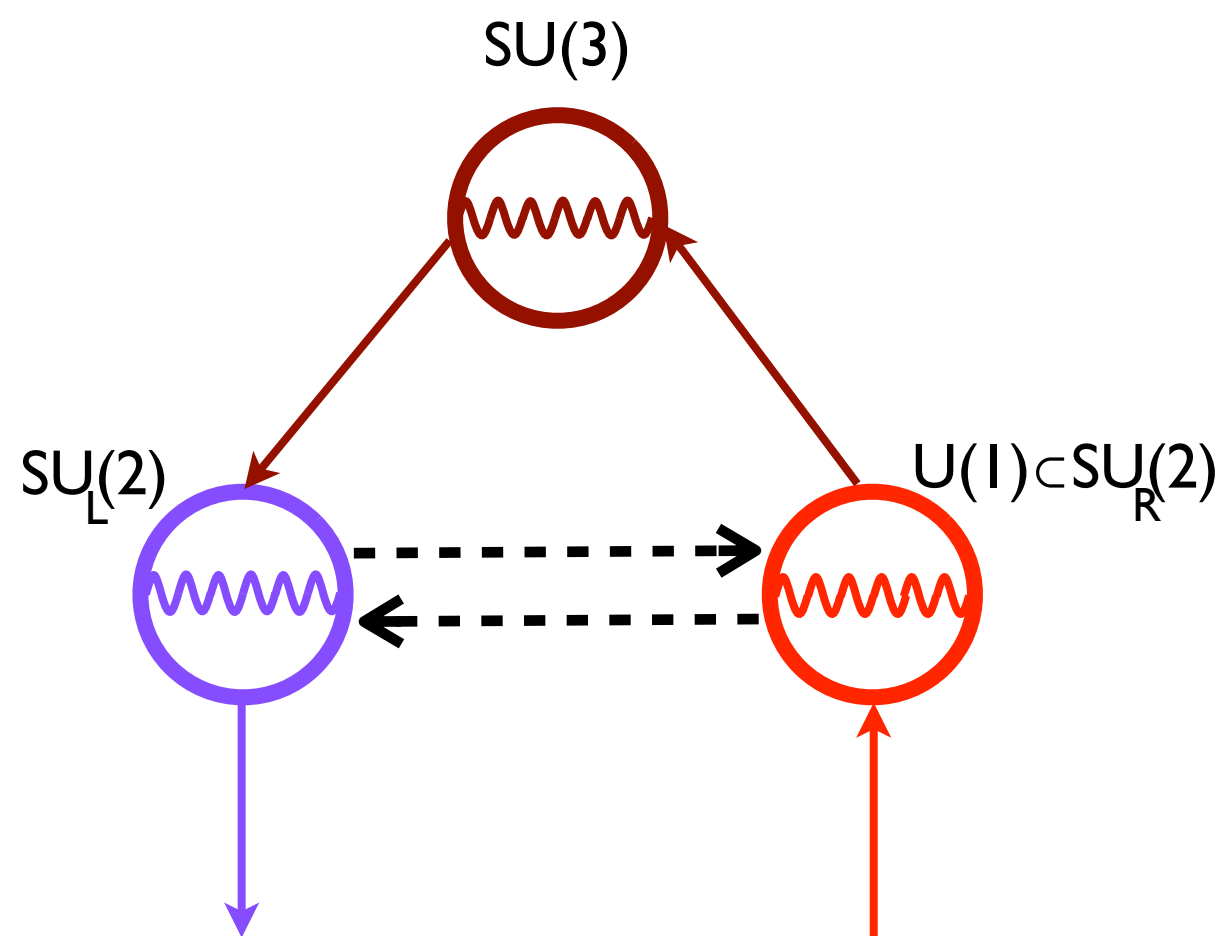
Unifying in Model Space



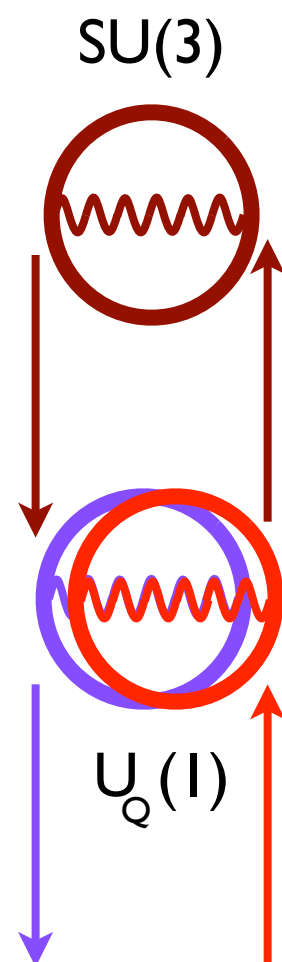
Theoretical Criteria

- Naturalizes the SM
- New strong dynamics
- Supersymmetric
- Near conformal
- Link to extra dim. and strings
- Possibly calculable

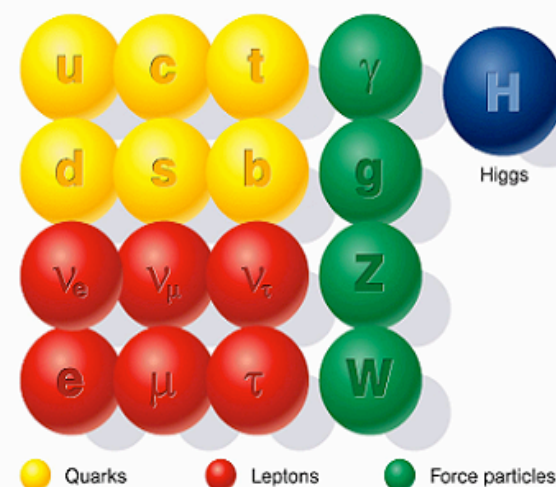
MSSM - cartoon



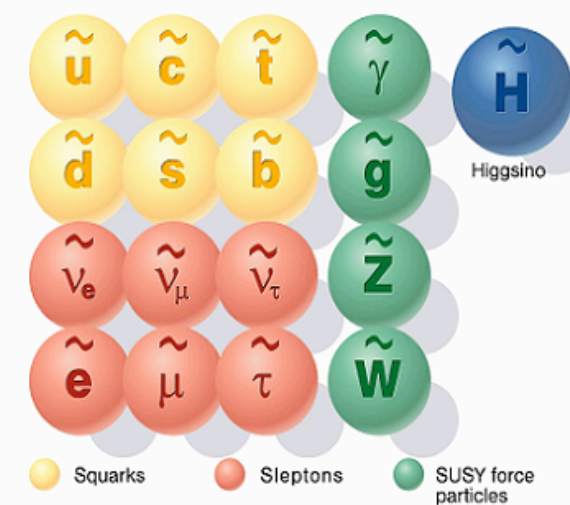
$\langle H_s \rangle$



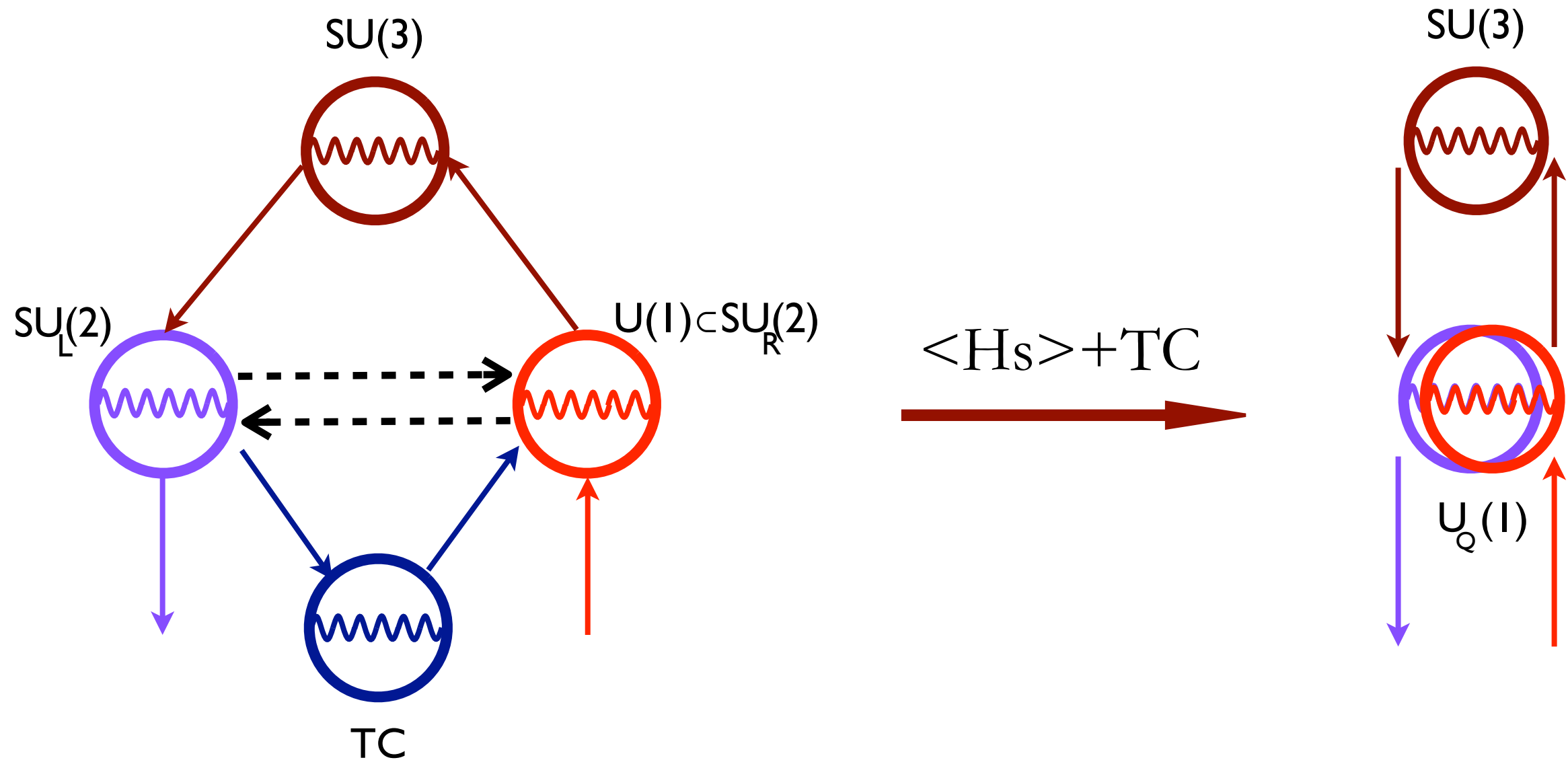
Standard particles



SUSY particles



Super Technicolor



Bonus: A working model of ETC

Dine, Fischler and Srednicki, 81

Antola, Di Chiara, Sannino, Tuominen 10

From MWT to N=4

Matter in Adjoint of SU(2)

MWT

Minimal S-partners

N=1 Multiplets

N=4

G_μ

G_μ
 $\bar{D}_R$

V

$\bar{D}_R$

$\bar{U}_R$

$\bar{U}_R$ $\tilde{U}_R$

Φ_3

U_L

U_L $\tilde{U}_L$

Φ_1

D_L

D_L $\tilde{D}_L$

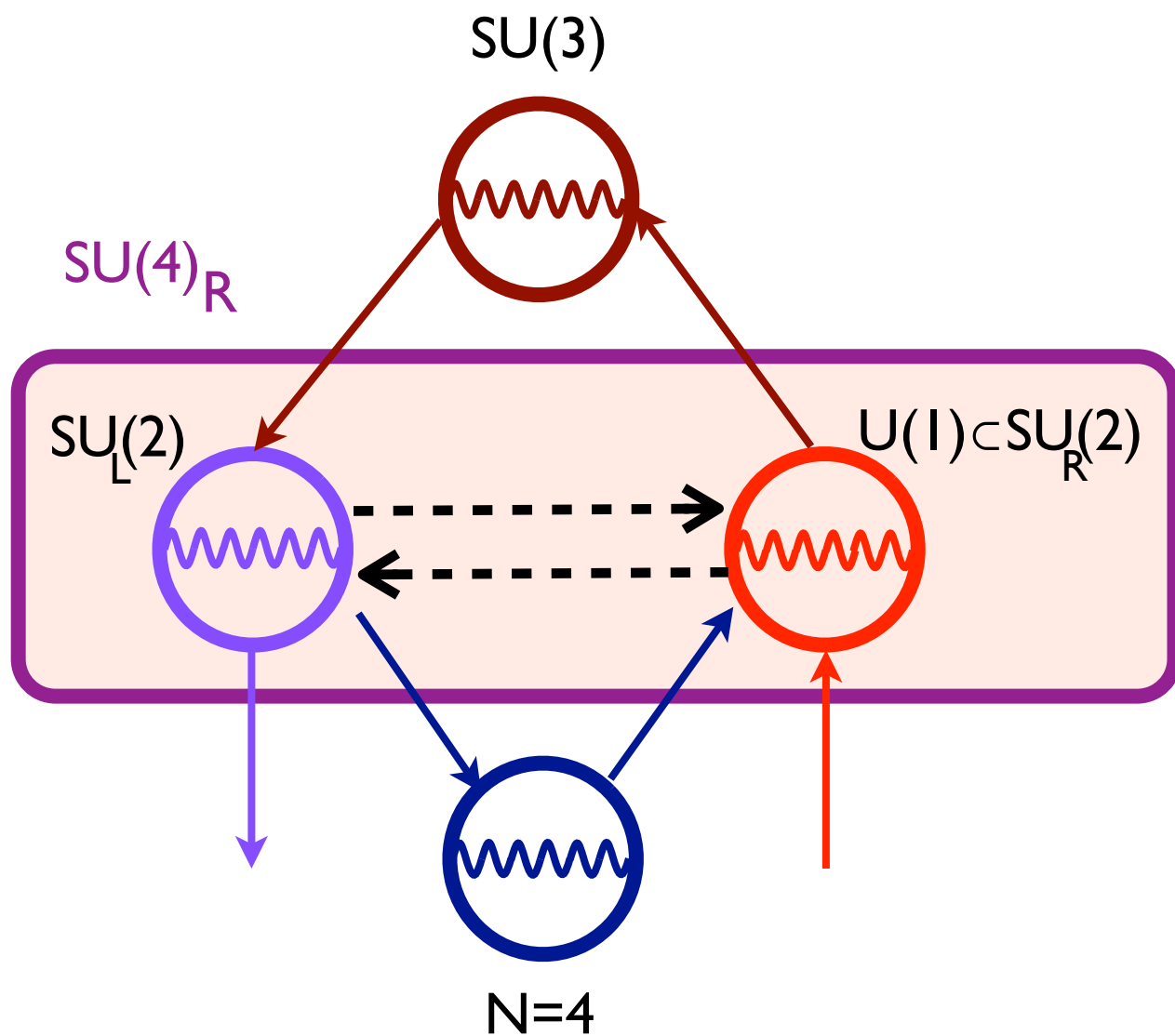
Φ_2

V
 Φ_3
 Φ_1
 Φ_2

N=4 - SU(N) requires

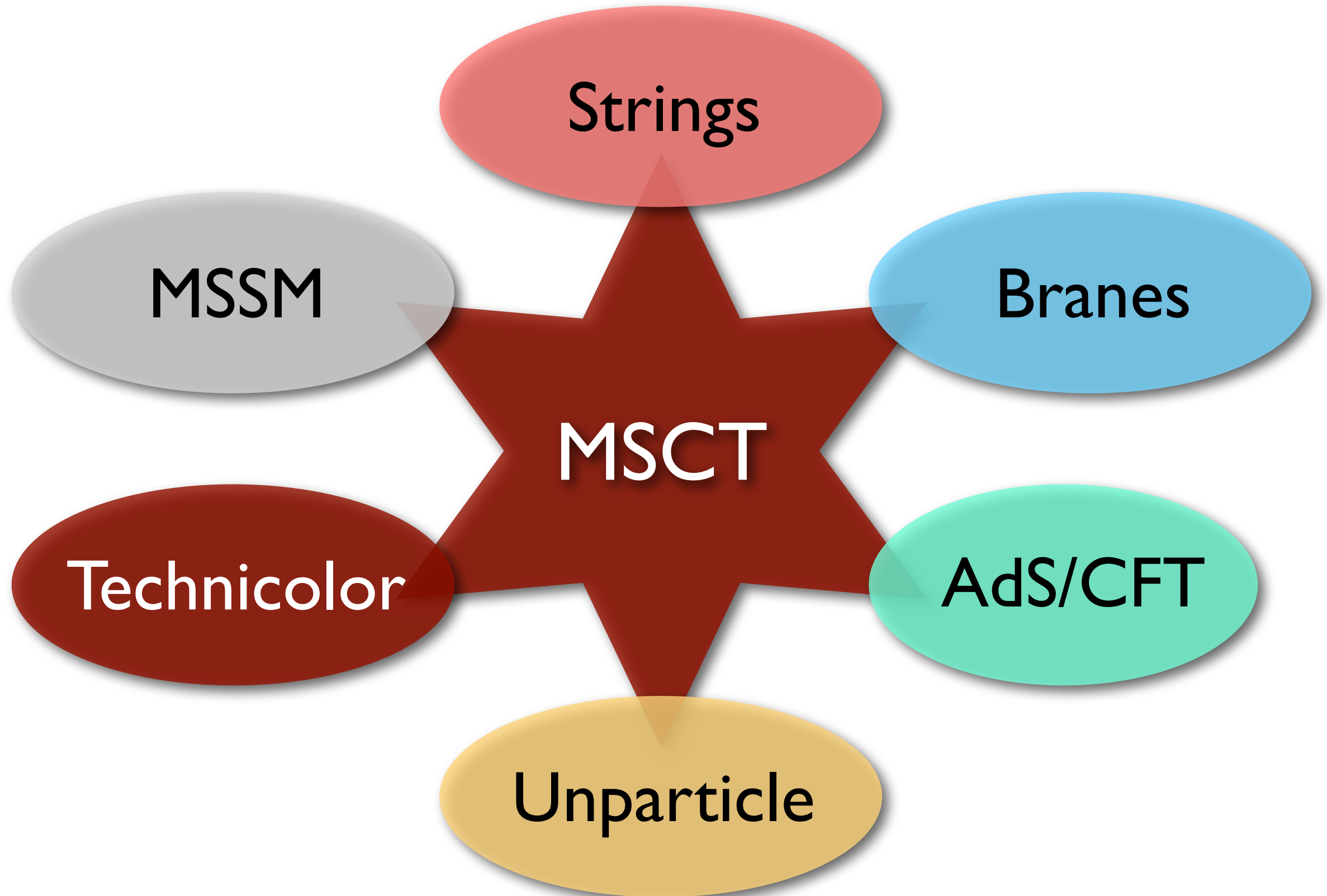
$$P = -\frac{g}{3\sqrt{2}}\epsilon_{ijk}f^{abc}\Phi_i^a\Phi_j^b\Phi_k^c, \quad i = 1, 2, 3; a = 1, \dots, N^2-1$$

Minimal Superconformal TC



- MSCT as minimal susy extension of MWT
- Highest degree of space-time symmetry
- Natural connection to string theory
- Unifies different extensions of the SM
- Very rich and falsifiable phenomenology

Minimal Superconformal TC

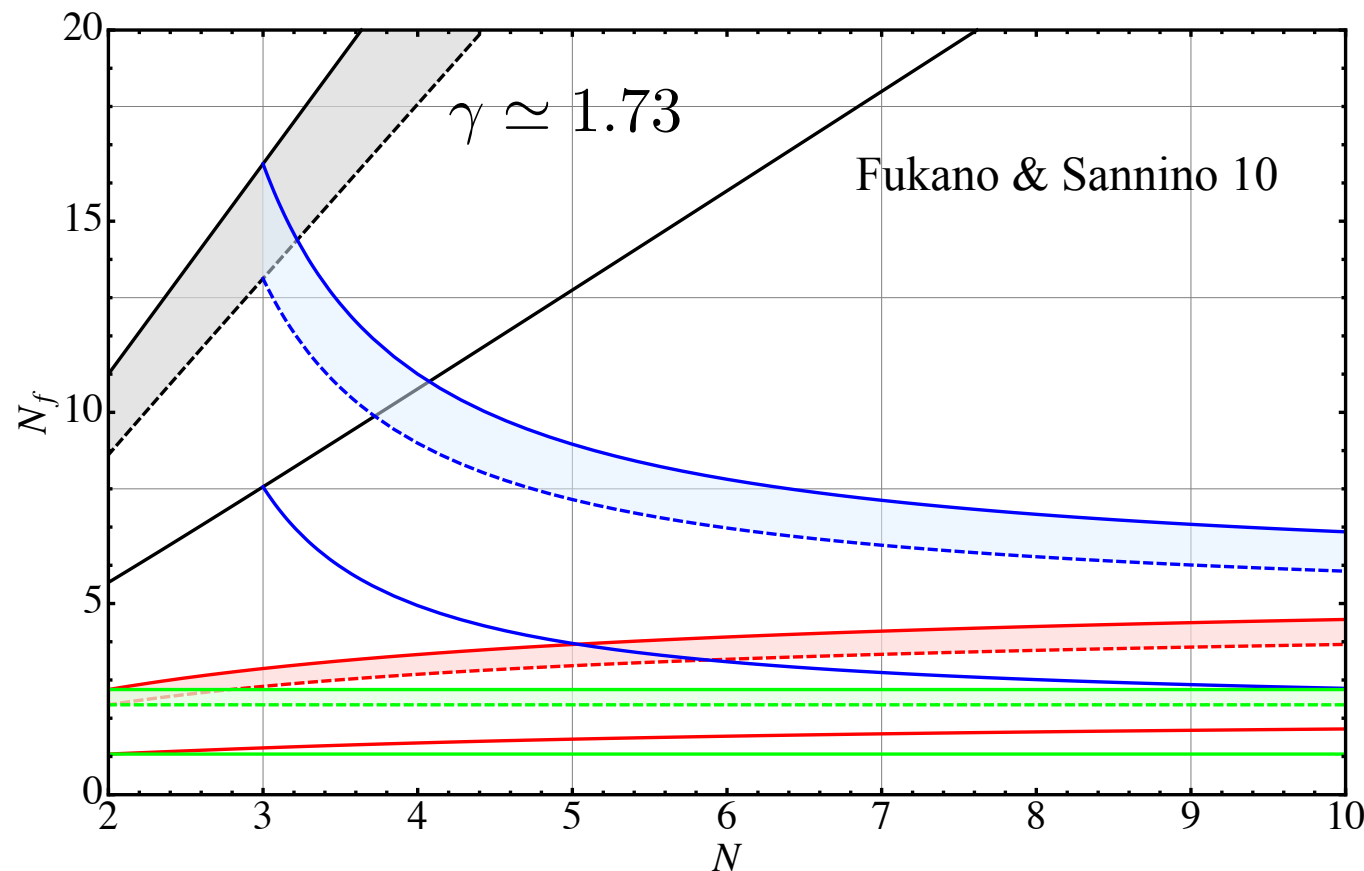


Conclusions

- ① DEWSB can naturally occur at the LHC
- ① Phase Diagram of strongly interacting theories
- ① Minimal models of technicolor
- ① Unification in theory space/Technicolor meets string theory
- ① DEWSB cosmology is exciting

Backup slides

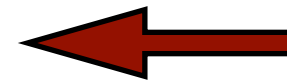
SU(N) Phase Diagram + 4 Fermions



Fukano & Sannino 10

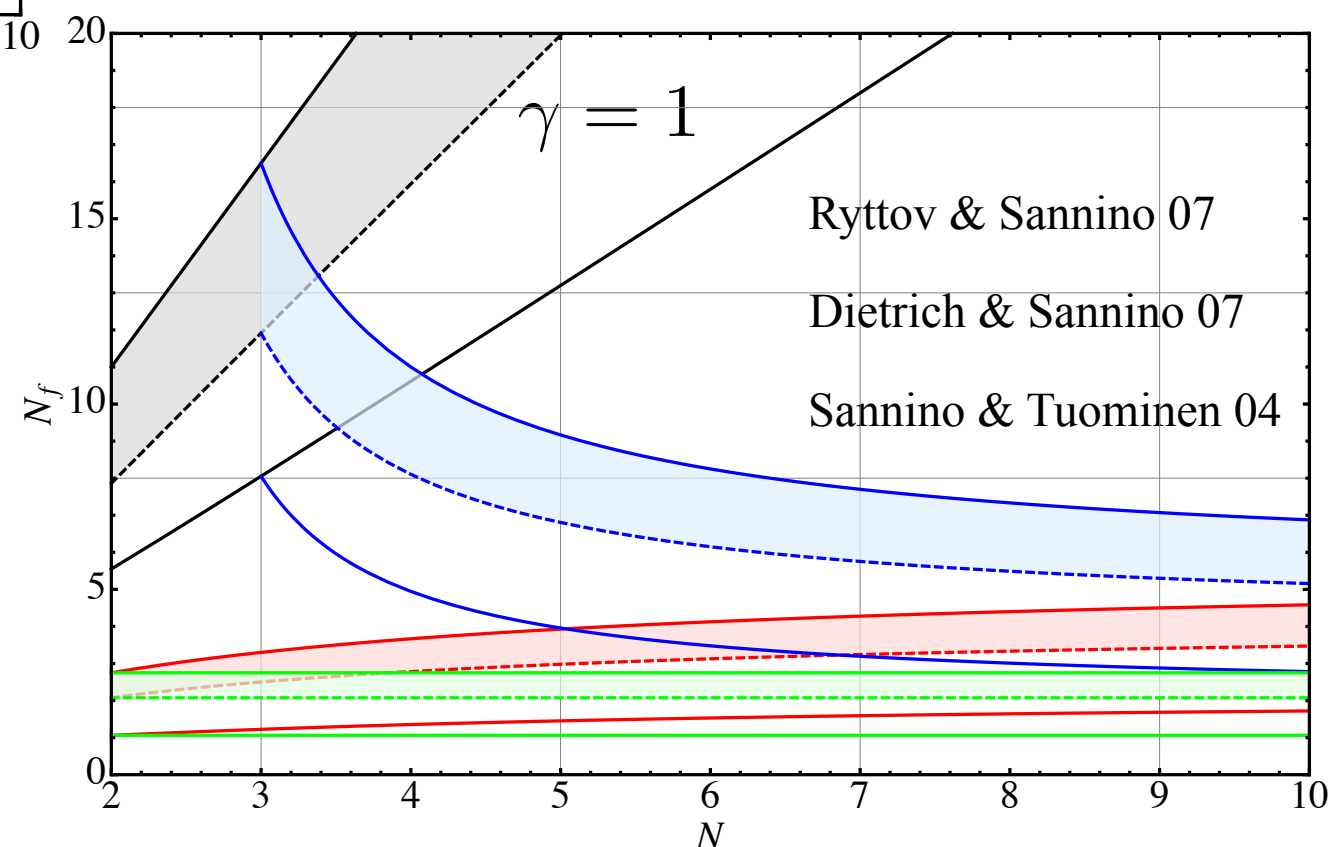
Ideal Walking:

Use 4 Fermion interactions to exit conformal window and provide correct Top mass.

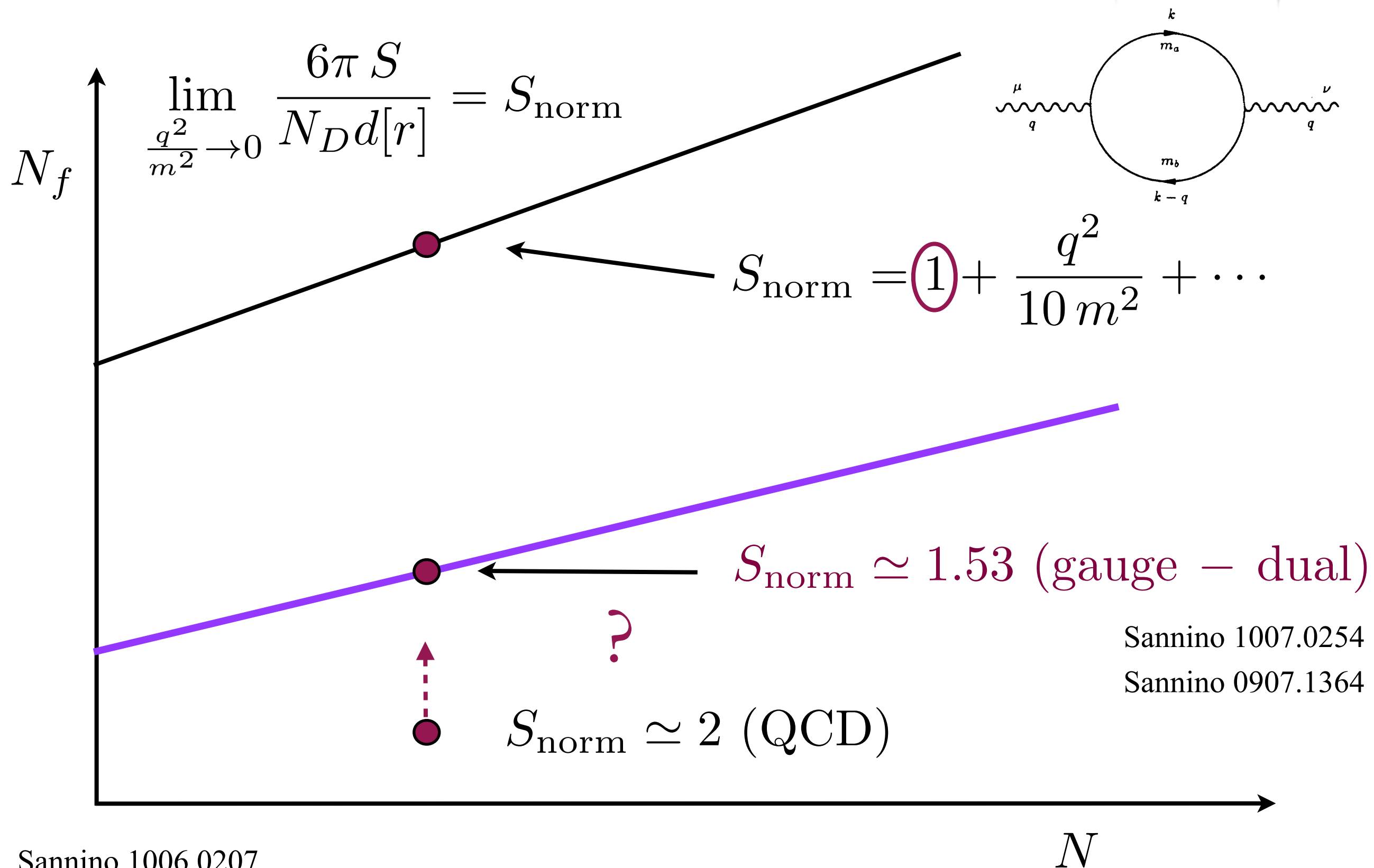


Ordinary Walking:

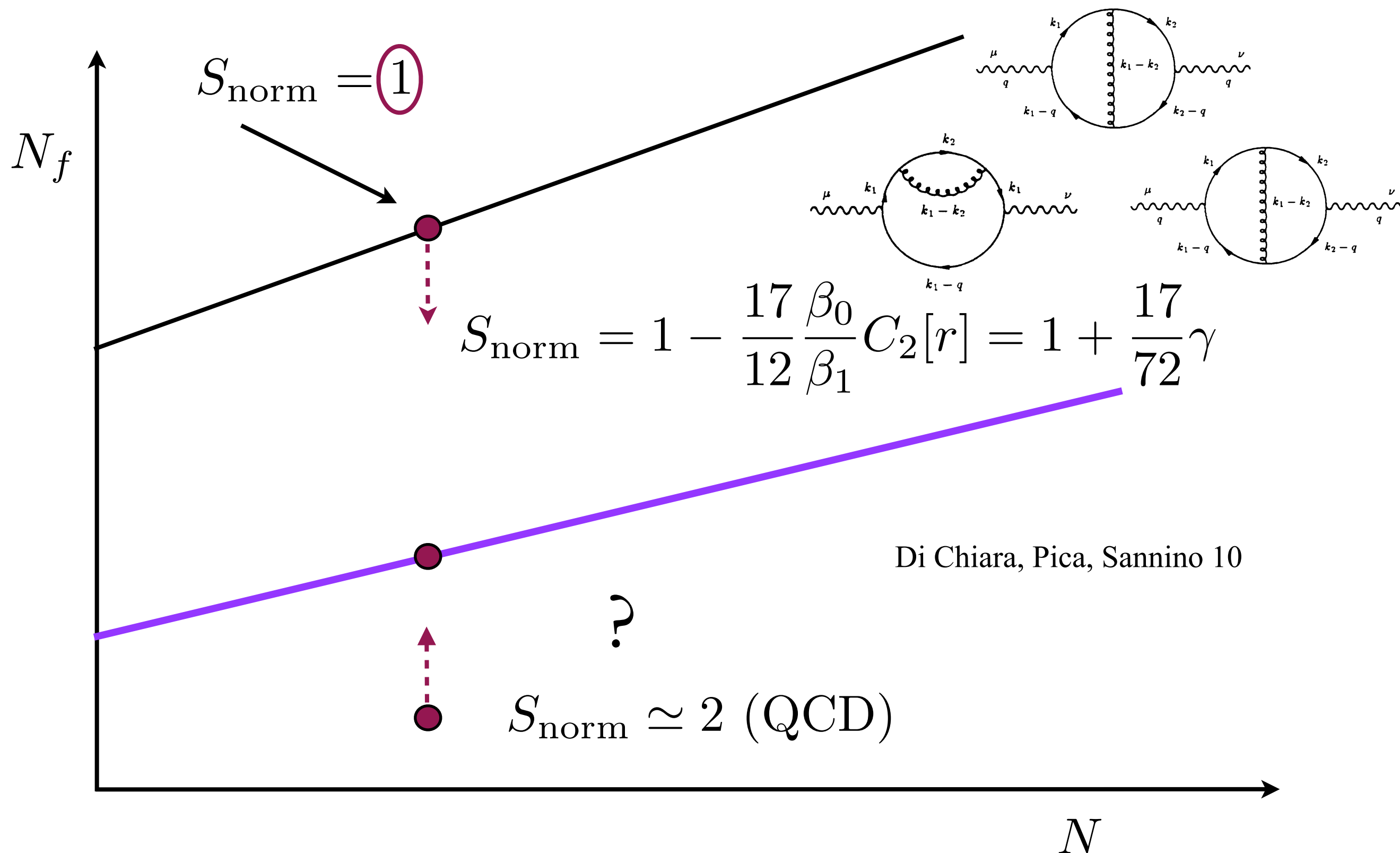
Requires huge fine-tuning to be near the lower end of the conformal window and unlikely to provide the correct Top mass.



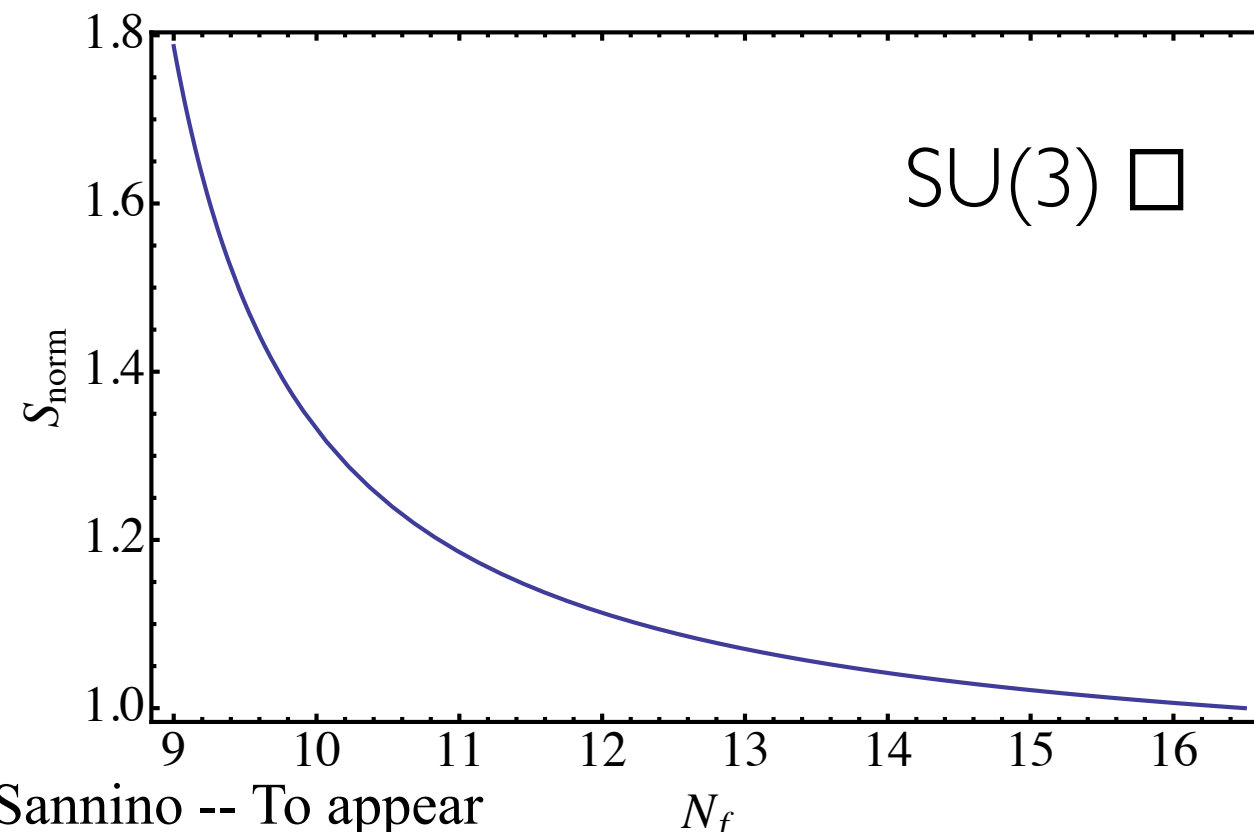
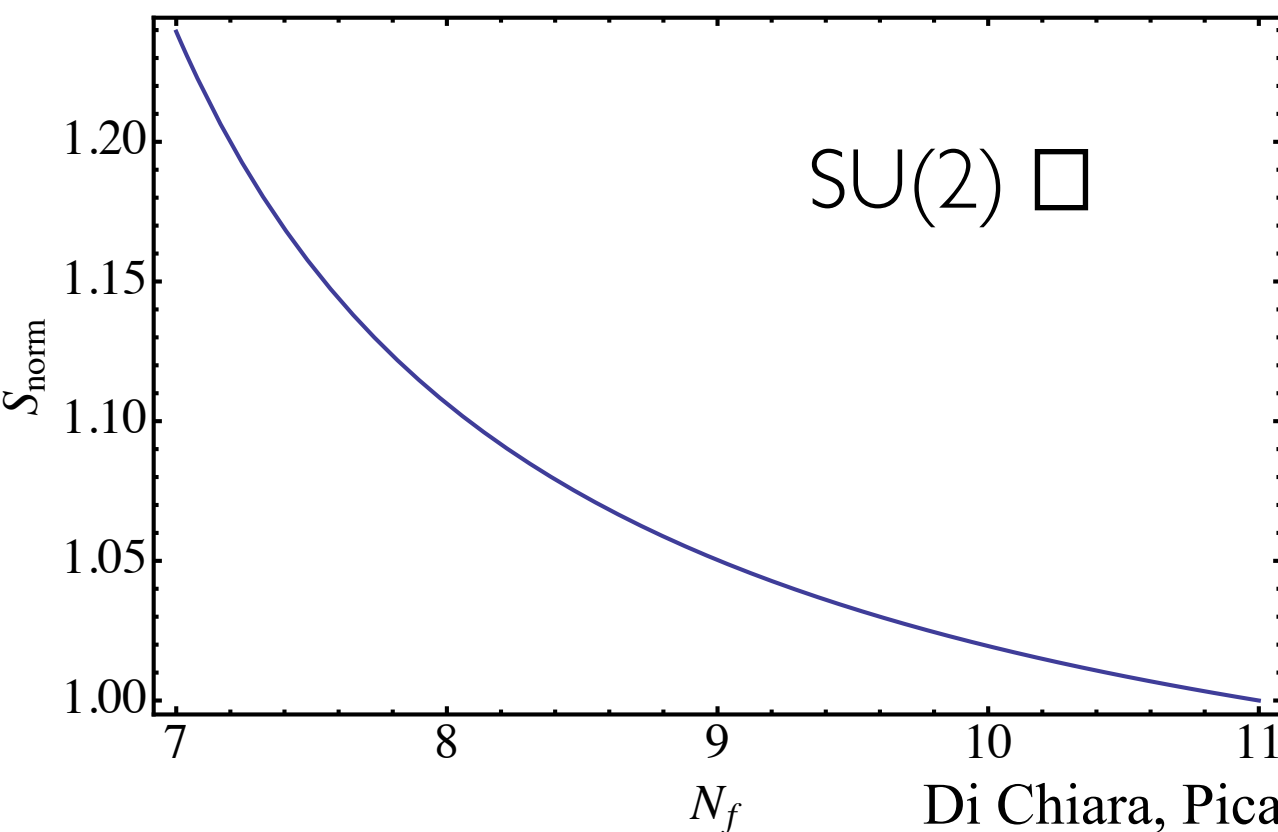
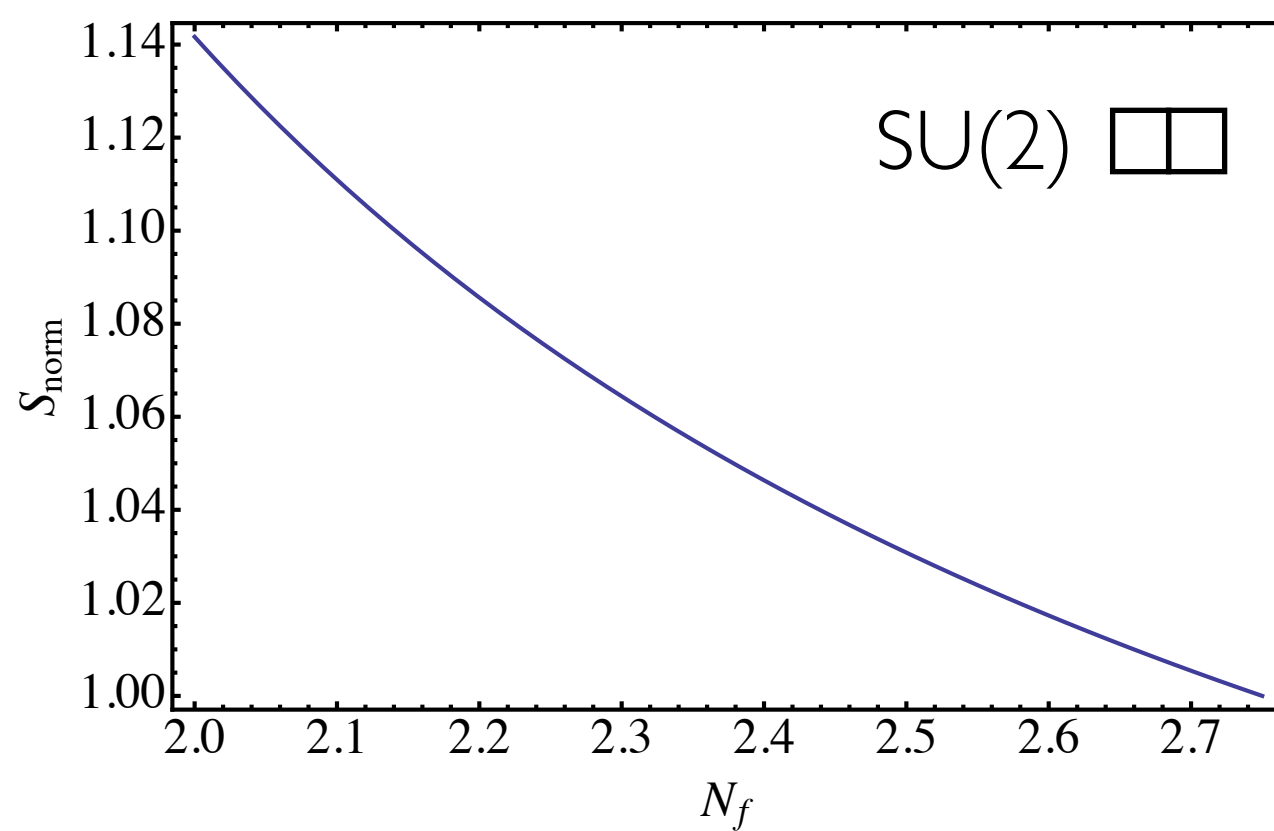
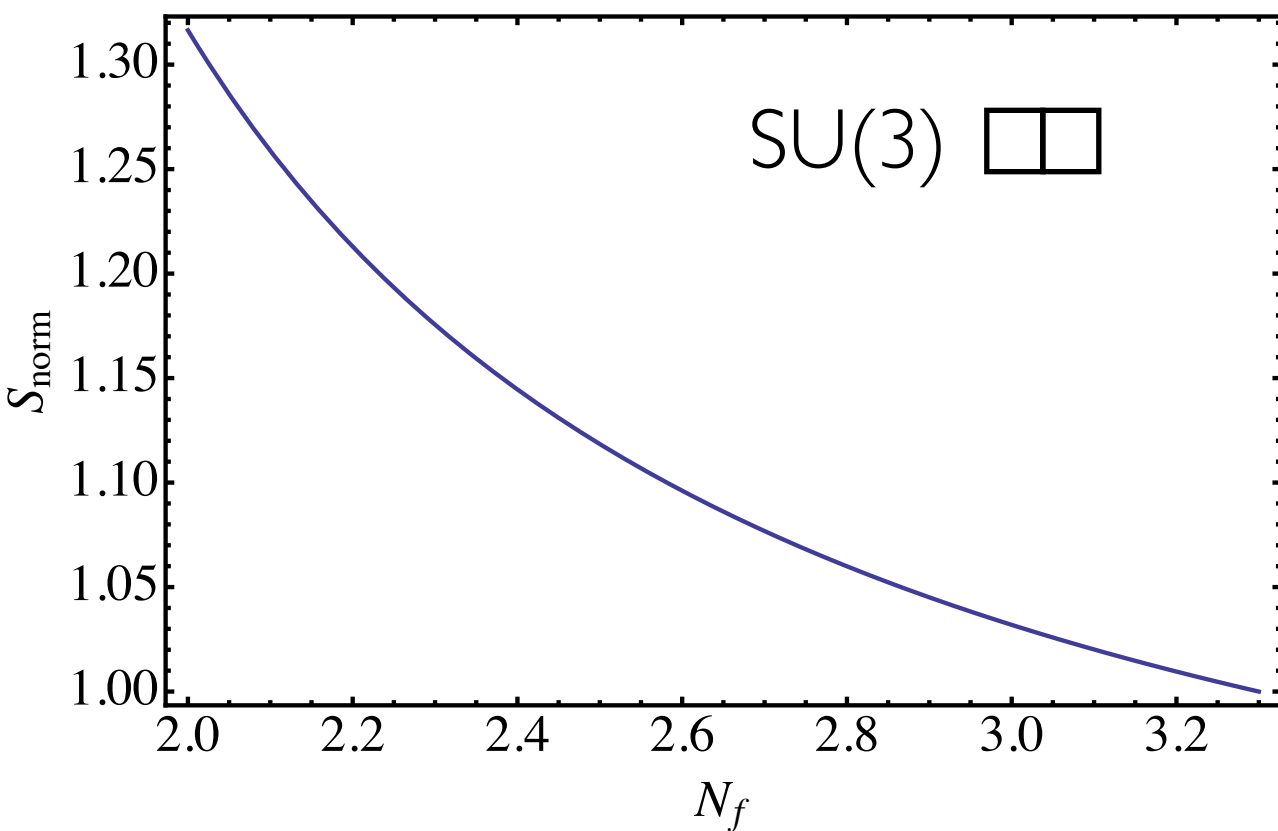
Exact conformal S



Conformal S @ 2 loops



Conformal S @ 2 loops



S - conjecture

Sannino 1006.0207

$$\lim_{\frac{q^2}{m^2} \rightarrow 0} \frac{6\pi S}{N_D d[r]} = S_{\text{norm}} \geq 1$$

S increases as N_f decreases

S counts relevant degrees of freedom

Sannino 1007.0254

S tests weak-strong gauge duality

Strong constraints for old models!

Unification

Farhi-Susskind, 79

Gudnason-Ryttov-F.S. 06

1 - loop running for SU(n)

$$\alpha_n^{-1}(\mu) = \alpha_n^{-1}(M_Z) - \frac{b_n}{2\pi} \ln \left(\frac{\mu}{M_Z} \right)$$

Degree of SU(3)×SU(2)×U(1) Unification

$$B_{Th} \leftarrow \frac{b_3 - b_2}{b_2 - b_1} = \frac{\alpha_3^{-1} - \alpha^{-1} \sin^2 \theta_w}{(1 + c^2) \alpha^{-1} \sin^2 \theta_w - c^2 \alpha^{-1}} \rightarrow B_{Exp}$$

Unification Scale

$$M_{GUT} = M_Z \exp \left[2\pi \frac{\alpha_2^{-1}(M_Z) - \alpha_1^{-1}(M_Z)}{b_2 - b_1} \right]$$

Standard Model

$$b_3 = \frac{4}{3}N_g - 11$$

$$b_2 = \frac{4}{3}N_g - \frac{22}{3} + \underbrace{\frac{1}{6}}_{\text{Higgs}}$$

$$B_{\text{Th}} \sim 0.53$$

$$B_{\text{Exp}} \sim 0.72$$

$$b_1 = \frac{3}{5} \left(\frac{20}{9}N_g + \frac{1}{6} \right) = \frac{4}{3}N_g + \underbrace{\frac{1}{10}}_{\text{Higgs}}$$

Minimal Walking Technicolor

$$b_3 = \frac{4}{3}N_g - 11$$

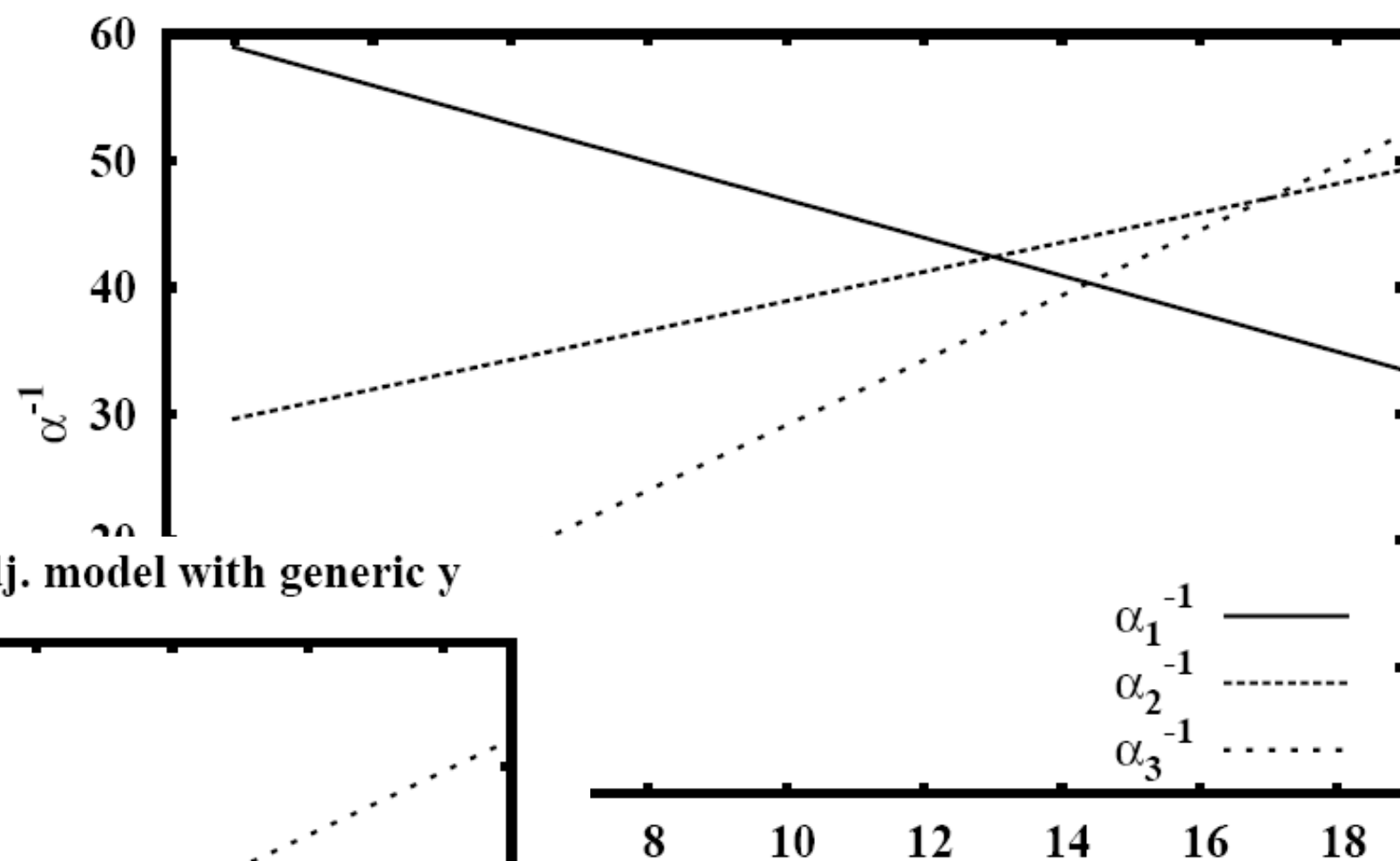
$$b_2 = \frac{4}{3}N_g - \frac{22}{3} + \frac{2}{3} \frac{1}{2} \left(\frac{2(2+1)}{2} + 1 \right) = \frac{4}{3}(N_g + 1) - \frac{22}{3}$$

$$b_1 = \frac{3}{5} \left(\frac{20}{9}N_g + \frac{20}{9} \right) = \frac{4}{3}(N_g + 1)$$

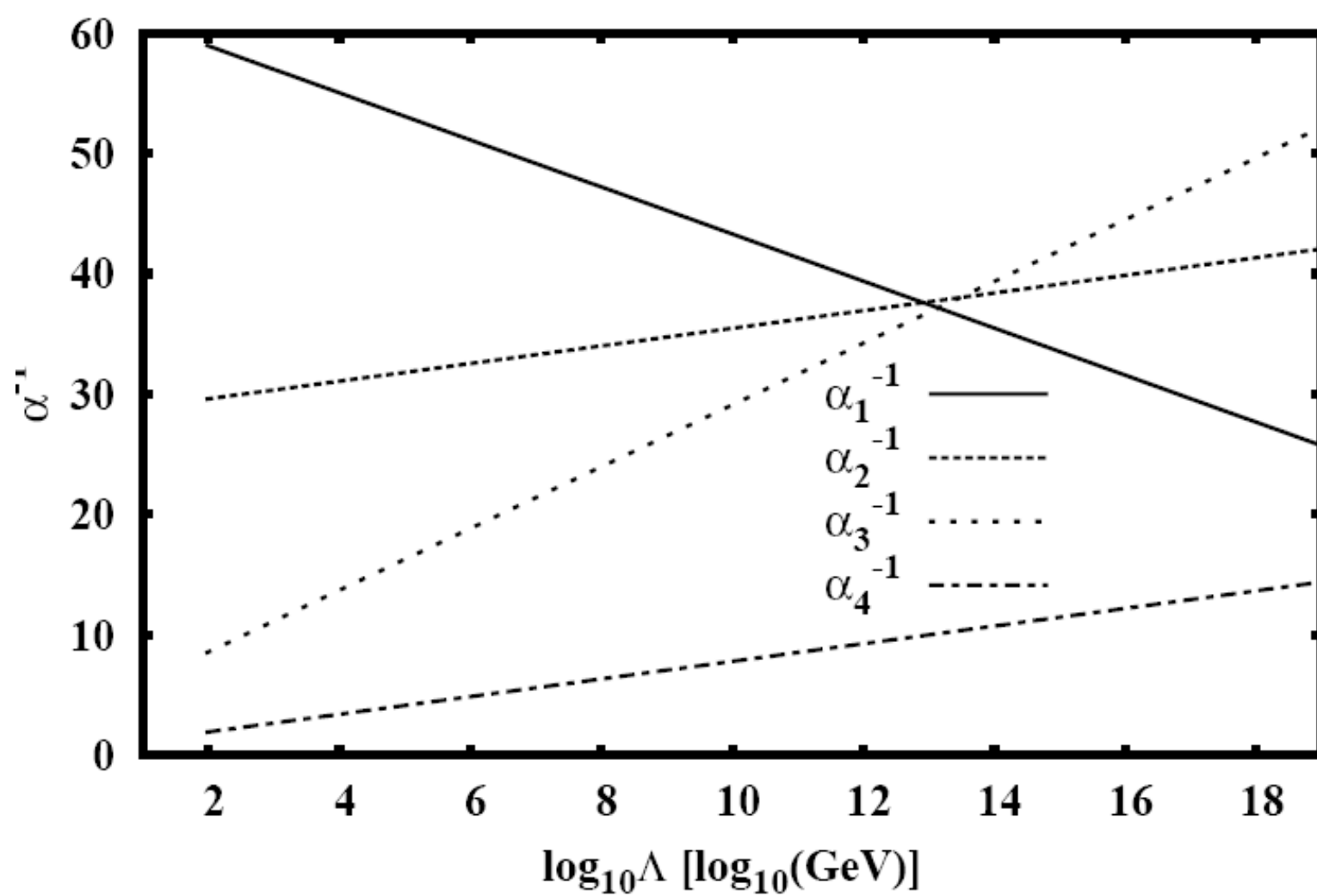
$$B_{\text{Th}} \sim 0.68$$

$$B_{\text{Exp}} \sim 0.72$$

Gauge couplings of the SM



Gauge couplings of the SU(2)-Adj. model with generic y



Adding Adjoint SM Matter

Minimal Walking Technicolor + SM Adjoint Matter

Colored Octet of Majorana Particles

Weak Triplet of Majorana Fermions

Extra SM Weyl Singlet

$$b_3 = \frac{4}{3}N_g - 11 + 2$$

$$b_2 = \frac{4}{3}(N_g + 1) - \frac{22}{3} + \frac{4}{3}$$

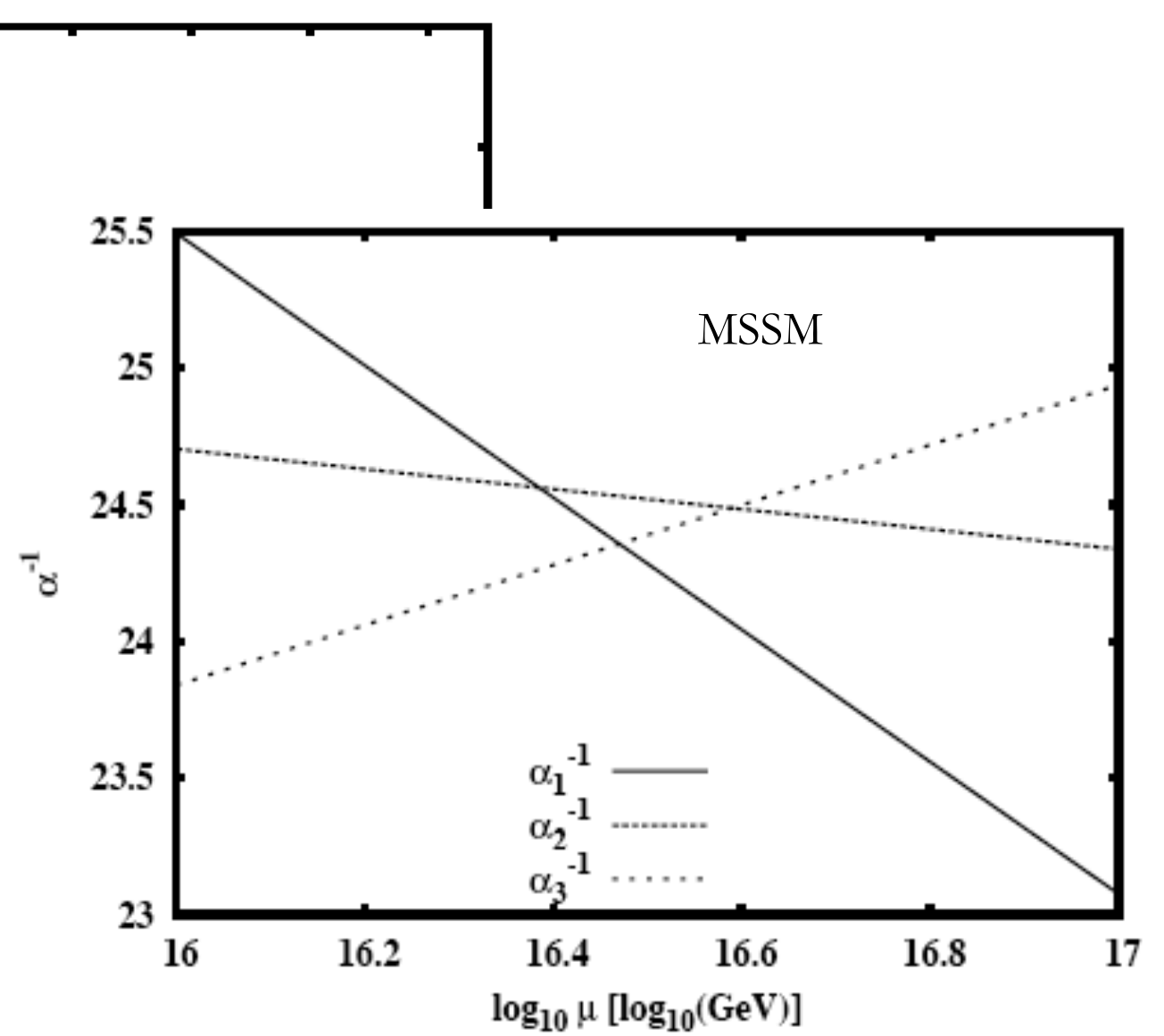
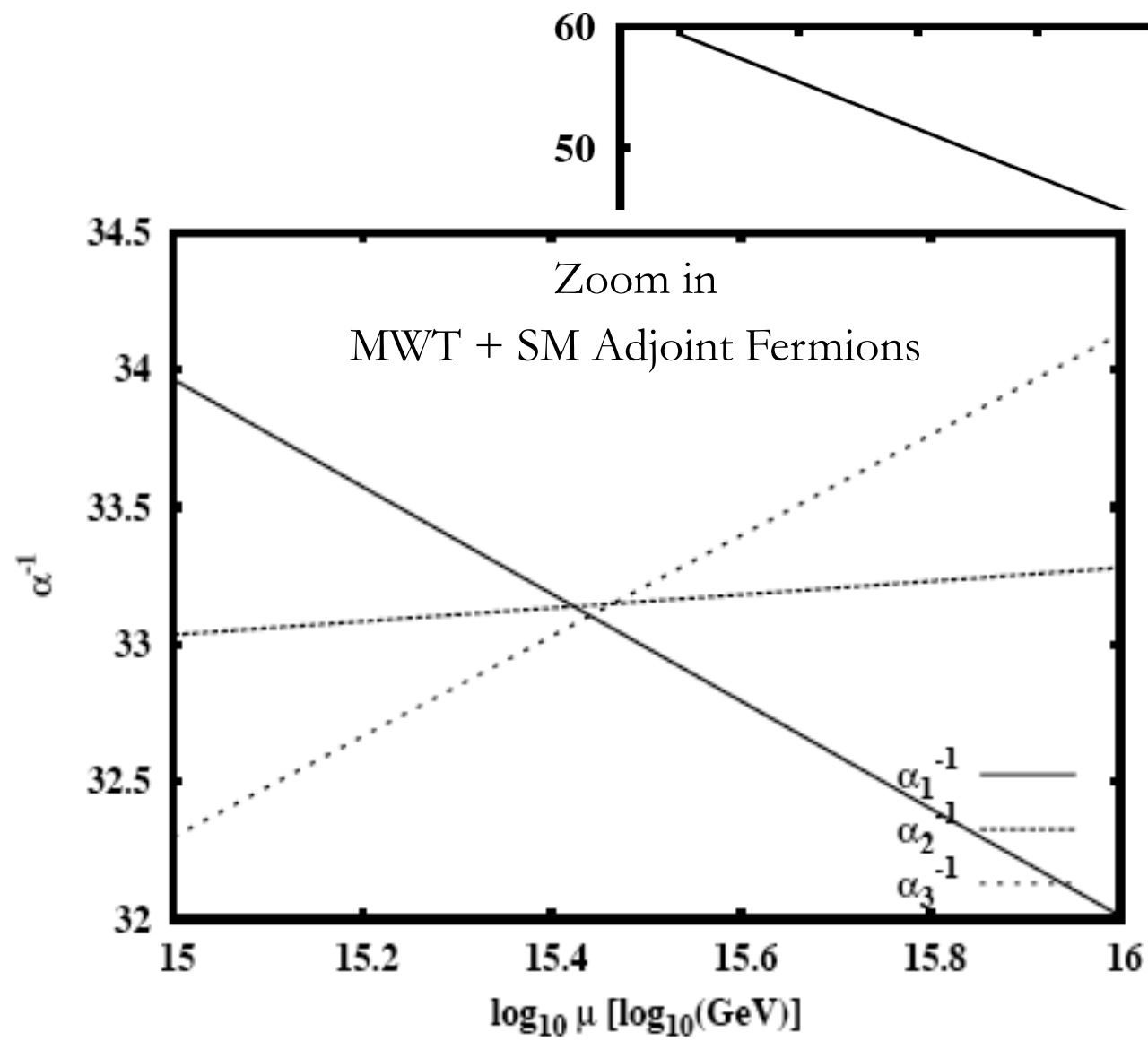
$$b_1 = \frac{4}{3}(N_g + 1)$$

Gudnason-Ryttov-F.S. ph/0612230

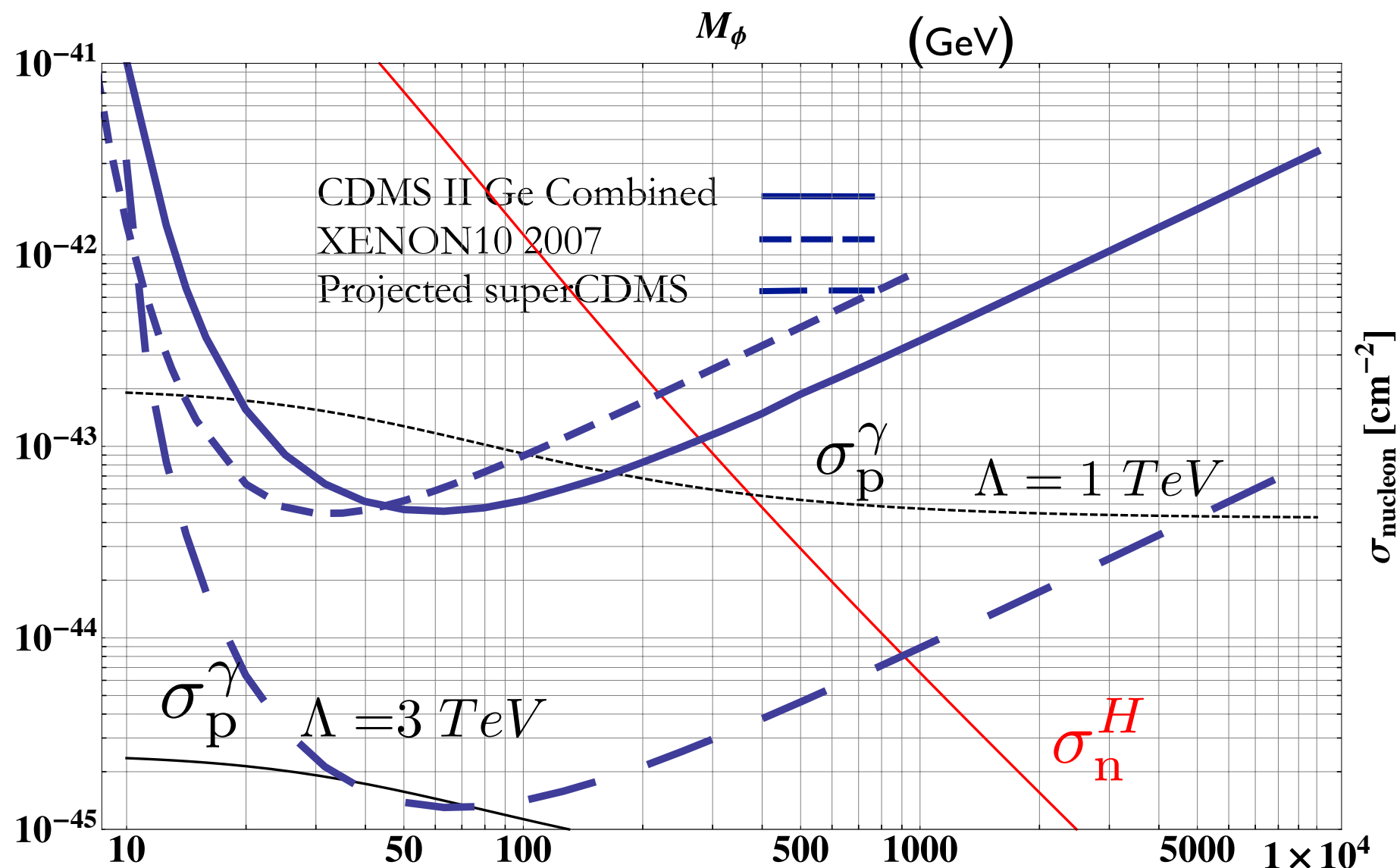
Bajc-Senjanovic ph/0612029

$$B_{\text{Th}} = 13/18 = 0.72(2) \quad \text{versus} \quad B_{\text{Exp}} \simeq 0.72$$

MWT + SM Adjoint Fermions



Direct Constraints



$$f = 0.3$$

$$d_M = 1$$

$$d_B = 1$$

$$M_H = 300 \text{ GeV}$$

$$\sigma_n^H = \frac{\mu^2}{4\pi} \left[\frac{d_M f m_N}{M_H^2 M_\phi} \right]^2$$

$$\sigma_p^\gamma = \frac{\mu^2}{4\pi} \left[\frac{8\pi \alpha d_B}{\Lambda^2} \right]^2$$

Foadi, Frandsen, F.S. 08

$$\mu = M_\phi m_N / (M_\phi + m_N)$$